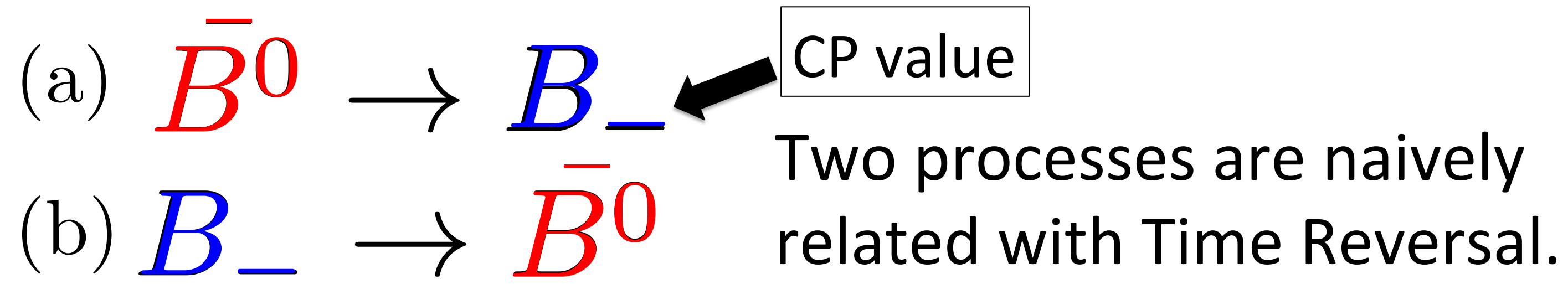


Overview

- An asymmetry with B meson decays

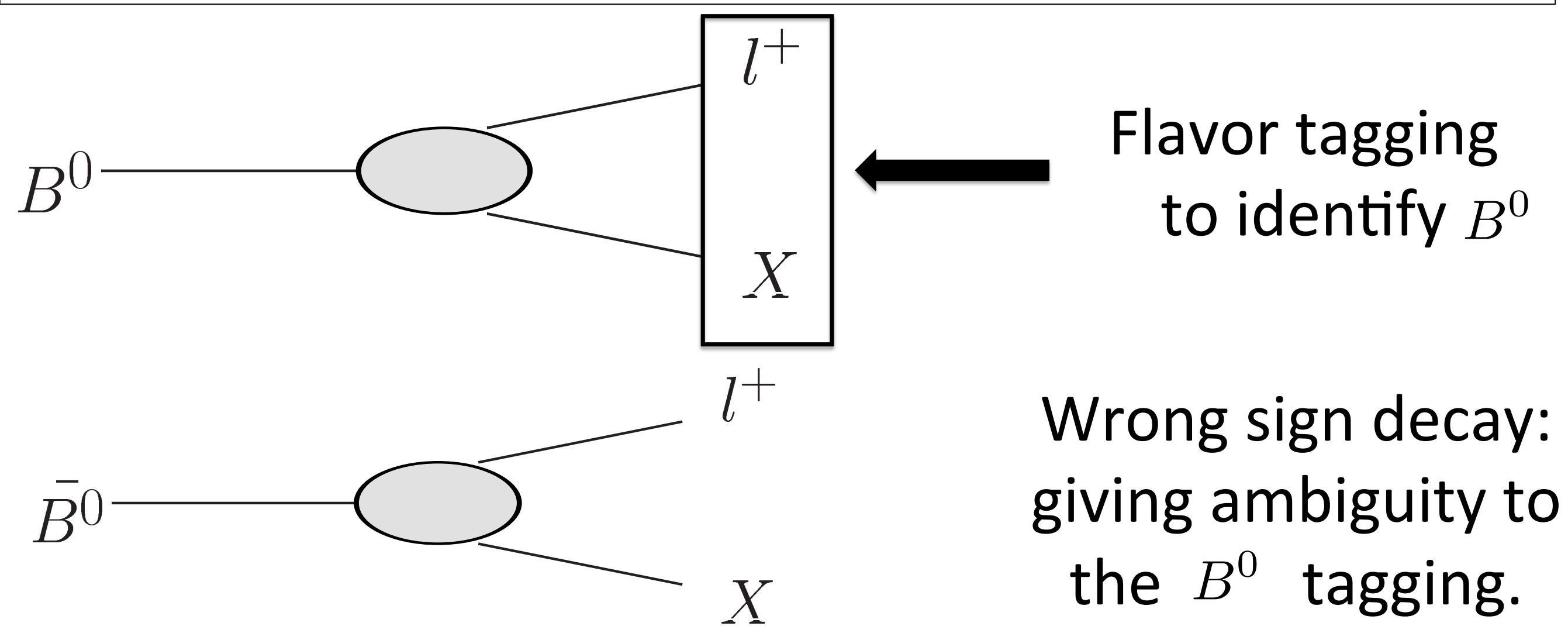


Thus, time dependent asymmetry below is naively thought to be a T-violating quantity[1].

$$A_T = \frac{\Gamma_{(a)} - \Gamma_{(b)}}{\Gamma_{(a)} + \Gamma_{(b)}} \simeq \mathbf{T - odd}$$

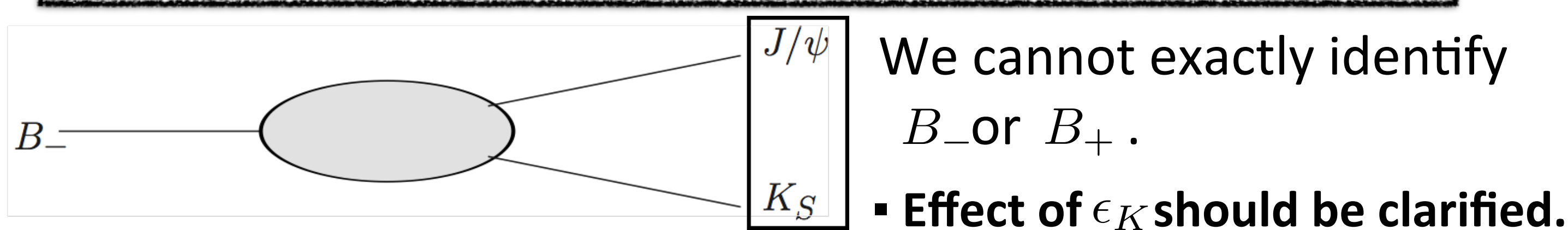
naive thought

- Tagging : Method to identify B mesons



Wrong sign decays cause ambiguity for tagging.

→ We cannot exactly identify B^0 or \bar{B}^0 .



- Our viewpoint: **Precise discussion**

$$A(t) = \frac{\Gamma_{(a)} - \Gamma_{(b)}}{\Gamma_{(a)} + \Gamma_{(b)}} \simeq \mathbf{T - odd} + \Delta(\mathbf{T - even})$$

This part reveals.

- Our viewpoint is different from Bernabeu's[1].
- Task: model independent analysis

BaBar Asymmetry

- BaBar announced that they measured T-asymmetry through B meson system.

$$A_T^{\text{BaBar}}(\Delta t) \simeq \frac{\Delta S_T^+}{2} \sin(\Delta m_d \Delta t) + \frac{\Delta C_T^+}{2} \cos(\Delta m_d \Delta t)$$

For observed values in the experiment [2] $\begin{cases} \Delta S_T^+ = -1.37 \pm 0.14 \pm 0.06 \\ \Delta C_T^+ = 0.10 \pm 0.14 \pm 0.08 \end{cases}$

In the theoretical paper[3],

- BaBar asymmetry is slightly deviated from a T-odd.
- BaBar asymmetry is calculated with assumption $\epsilon_K = 0$

References

- [1] J. Bernabeu, F. Martinez-Vidal and P. Villanueva-Perez, JHEP 1208, 064 (2012) [arXiv:1203.0171 [hep-ph]].
 [2] J. P. Lees *et al.* [BaBar Collaboration], Phys. Rev. Lett. 109, 211801 (2012) [arXiv:1207.5832 [hep-ex]].
 [3] E. Applebaum, A. Efrati, Y. Grossman, Y. Nir and Y. Soreq. Phys. Rev. D89, 076011(2013) [arXiv:1312.4164].

Asymmetry: Result

$$A_T = R_T + C_T \cos(x\Gamma t) + S_T \sin(x\Gamma t) + B_T \sin^2(x\Gamma t) + D_T \sin(x\Gamma t) \cos(x\Gamma t) + E_T (y\Gamma t) \sin(x\Gamma t)$$

$$\Gamma = \frac{\Gamma_H + \Gamma_L}{2} \quad x = \frac{M_H - M_L}{\Gamma} \quad y = \frac{\Gamma_H - \Gamma_L}{2\Gamma}$$

- Definition is different from BaBar asymmetry.

$$\Gamma_{(a)} = N_{(a)} e^{-\Gamma_d \Delta t} [1 + S_{\psi K_L, l^+}^+ \sin(\Delta m_d \Delta t) + C_{\psi K_L, l^+}^+ \cos(\Delta m_d \Delta t)] = N_{(a)} \Gamma'_{(a)}$$

$$\Gamma_{(b)} = N_{(b)} e^{-\Gamma_d \Delta t} [1 + S_{l^+, \psi K_S}^+ \sin(\Delta m_d \Delta t) + C_{l^+, \psi K_S}^+ \cos(\Delta m_d \Delta t)] = N_{(b)} \Gamma'_{(b)}$$

Overall normalizations are removed in BaBar asym.

$$A_T^{\text{BaBar}} = \frac{\Gamma'_{(a)} - \Gamma'_{(b)}}{\Gamma'_{(a)} + \Gamma'_{(b)}}$$

T-odd

T-even

$$R_T = Sz^I - R_M + \xi_l^R + C_\xi^I - \hat{\lambda}_{\text{wst}}^R + G \hat{\lambda}_l^R$$

$$C_T = C' - 2\text{Re}(\epsilon_K) - Sz^I + \theta_K^R + S \Delta \lambda_l^I$$

$$S_T = -S[1 - Gz^R] + G\theta_K^I - GS \Delta \lambda_l^R$$

$$B_T = S[Gz_K^I - z^I + SR_M - S\xi_l^R] - S^2 C_\xi^I + S^2 \hat{\lambda}_{\text{wst}}^R - SG \Delta \lambda_{\text{wst}}^I$$

$$D_T = S[z_K^R - Gz^R] - S \Delta \lambda_{\text{wst}}^R - S^2 \hat{\lambda}_l^I$$

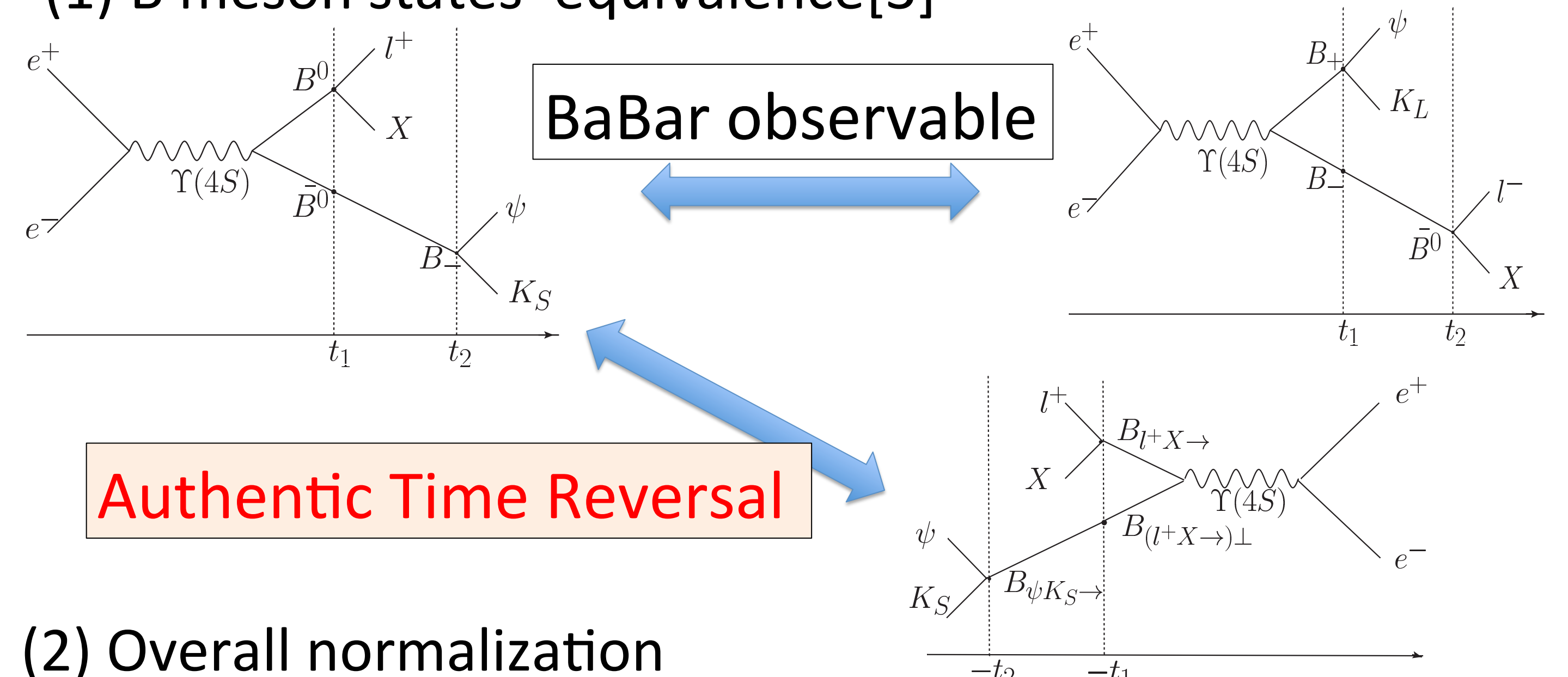
$$E_T = GS$$

- In C_T , contribution from ϵ_K is extracted.
- All are expressed as phase convention independent parameters.

© We investigate the reason why T-even parts are allowed to contribute.

Conditions for Authentic Time Reversed Process

- B meson states' equivalence[3]



- Overall normalization

- Since overall normalization difference is included, $N_{(b)}/N_{(a)}$ contributes to the asymmetry. One also requires $N_{(b)}/N_{(a)}$ be T-odd.

When these two conditions are satisfied, T-even terms vanish.

Summary

- The event number asymmetry of B meson system is constructed.
- The asymmetry in our study takes account of overall factors of the two processes.
- The observables are written as phase conv. indep. parameters.
- The result shows the asymmetry is slightly deviated from T-odd.
- The contribution from ϵ_K is investigated.
- When the two conditions are satisfied, asym. is a T-odd quantity.