

Flavor physics in the BSMs

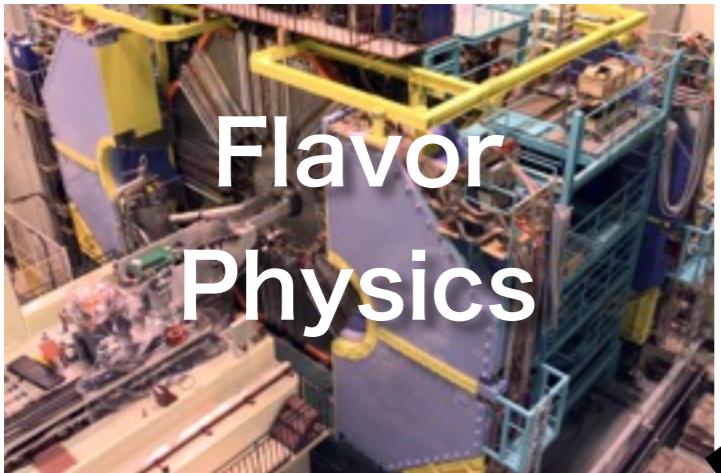
~SO(10) GUT~

Yuji Omura (KMI, Nagoya Univ.)

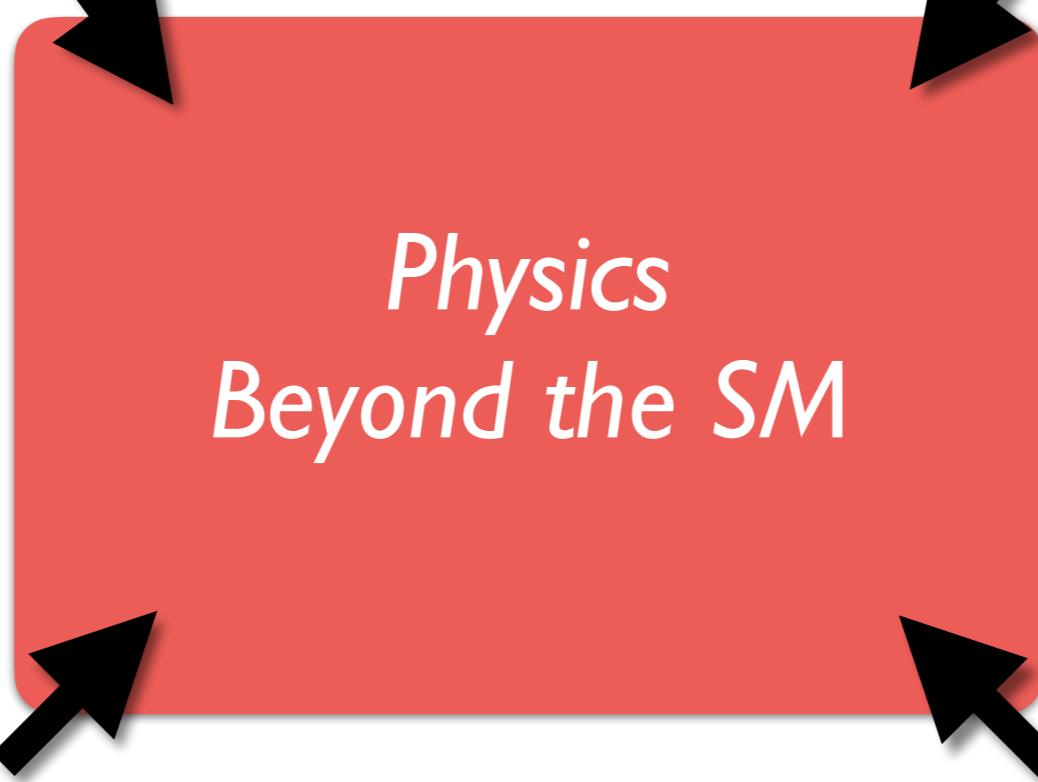
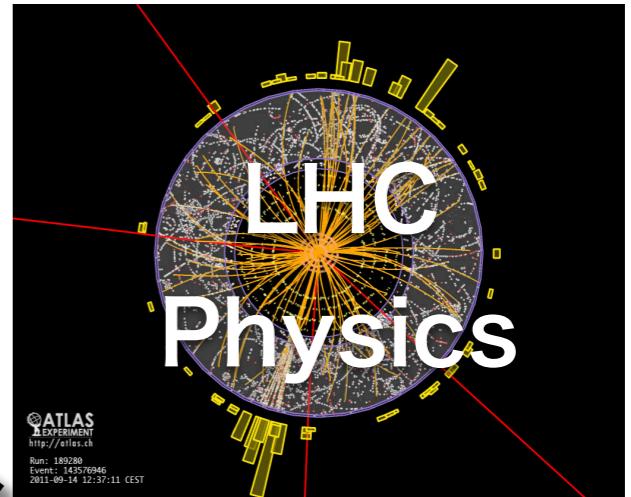
Based on PLB744 (2015) 395 (arXiv: 1503.06156),
JHEP1611(2016)018 (arXiv: 1607.05437);
arXiv: 1612.01643

Collaborators: J. Hisano, Y. Muramatsu, Y. Shigekami, M. Yamanaka;
T. Abe, J. Kawamura, S. Okawa.

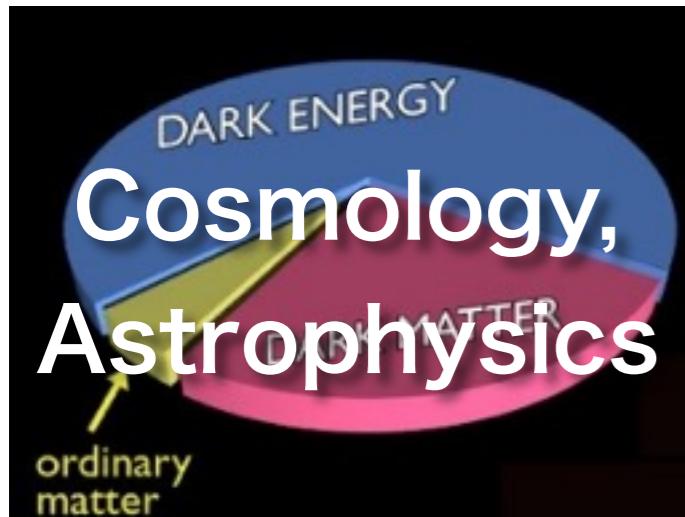
Very exciting era!



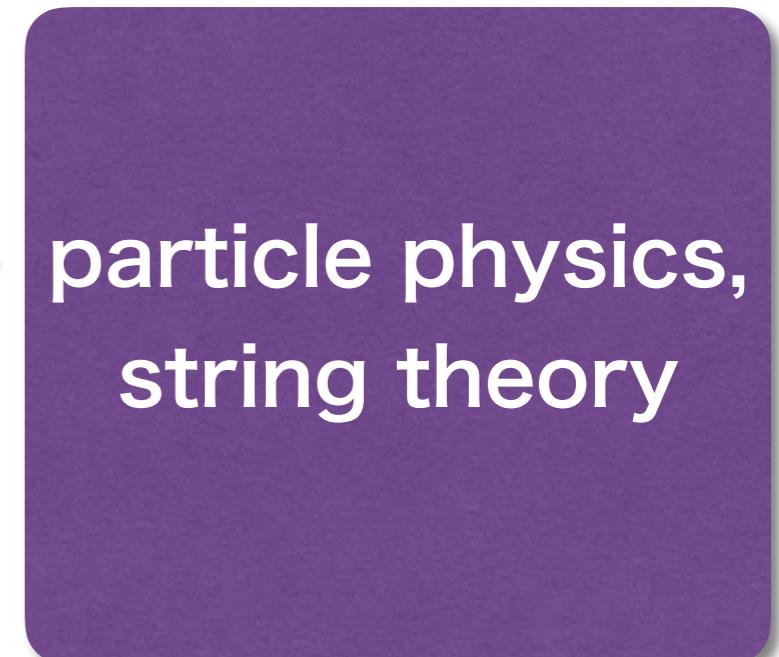
Flavor
Physics



*Physics
Beyond the SM*

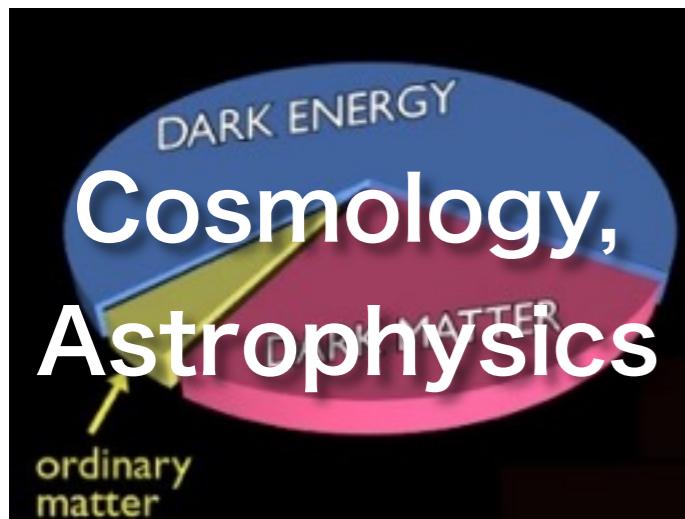
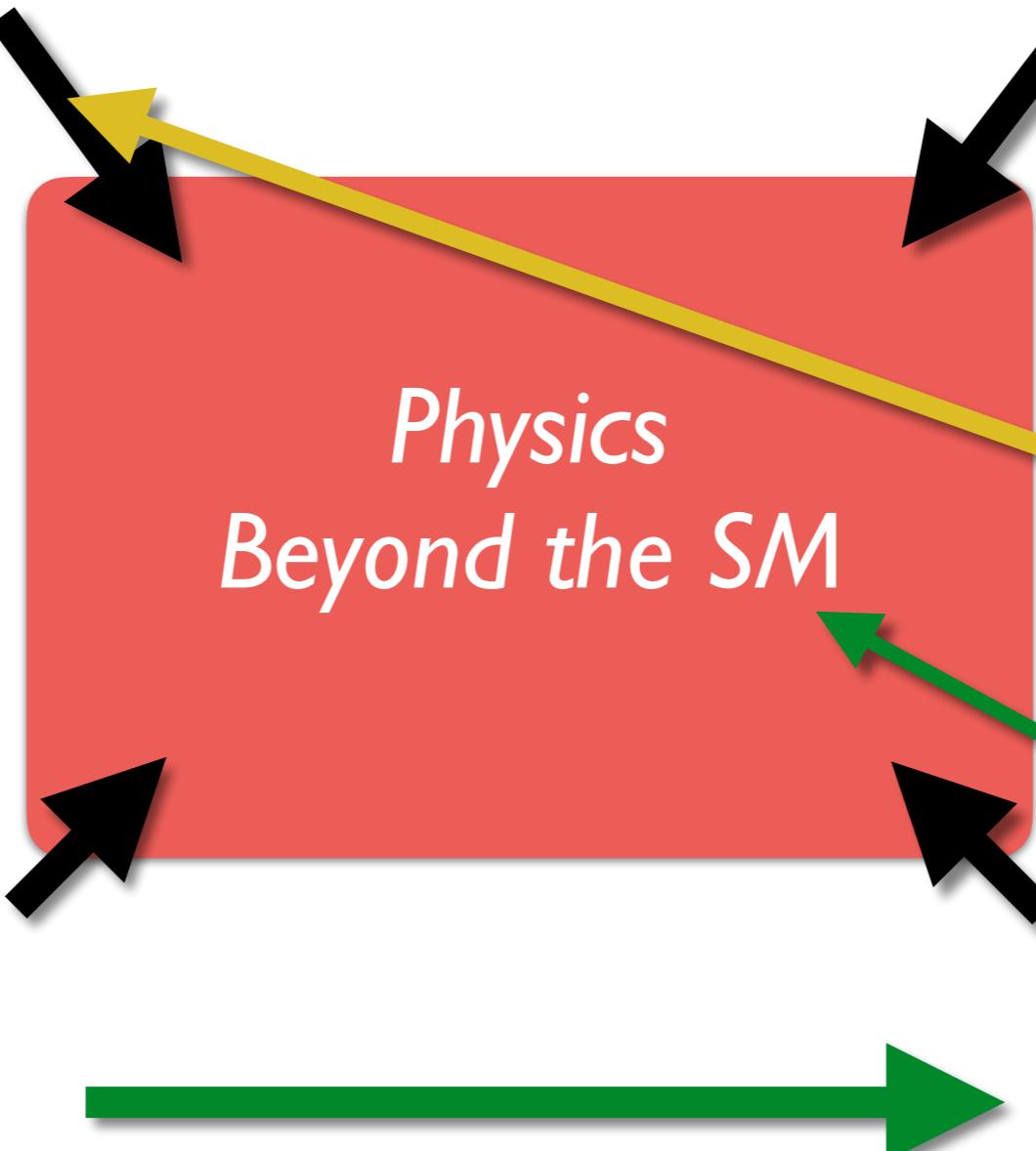
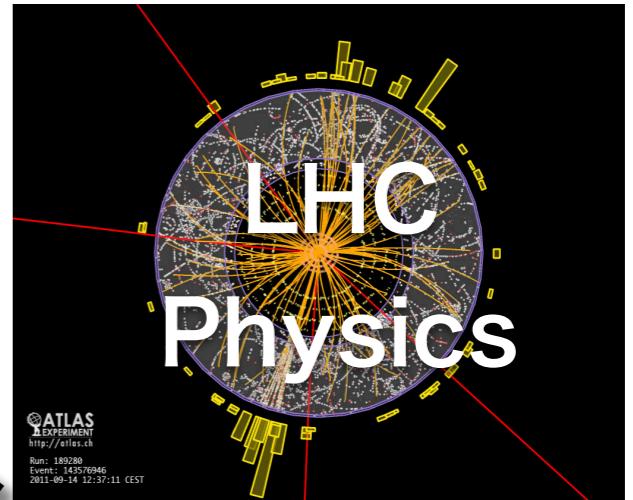
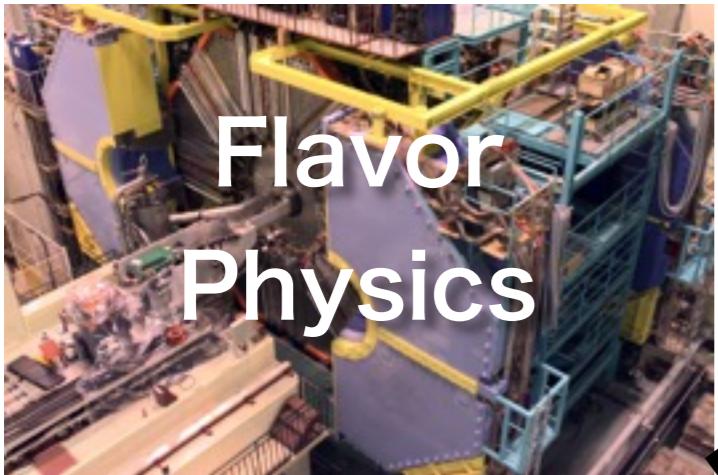


DARK ENERGY
Cosmology,
Astrophysics
dark matter
ordinary
matter



particle physics,
string theory

Very exciting era!



Our recent works

particle physics,
string theory

The BSMs I'm working on

- SUSY GUT (SO(10))

(J. Hisano, Y. Muramatsu, YO, Y. Shigekami, M. Yamanaka)

- dark matter models

(T. Abe, J. Kawamura, S. Okawa, YO)

My talk

- 2HDM

K. Tobe's talk

(YO, E. Senaha, K. Tobe)

Contents

1. Introduction

2. Setup

SO(10) GUT in high-scale SUSY scenario

Predictions for Z' interaction

3. Flavor physics

4. Summary and Discussion

(DM models)

Introduction

There are many “evidences” of new physics:

anomaly-free conditions miraculously satisfied
in the Standard Model (SM)

(Origin of SM gauge groups)

Big hierarchy between Planck scale and EW scale

(Origin of EW scale)

Dark matter

etc.

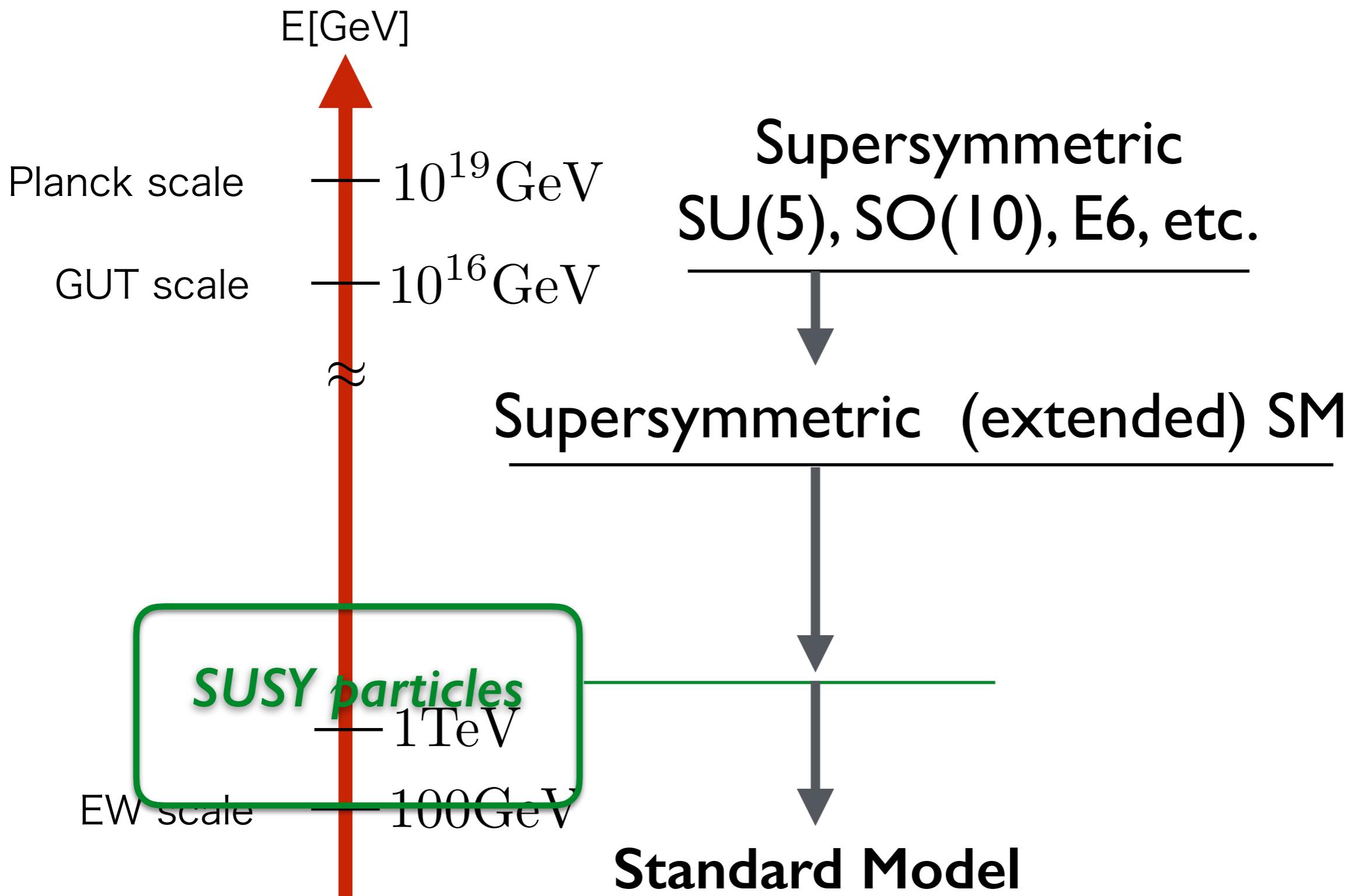
SUSY GUT can explain those mysteries:

Origin of SM gauge groups
(Gauge coupling unification)

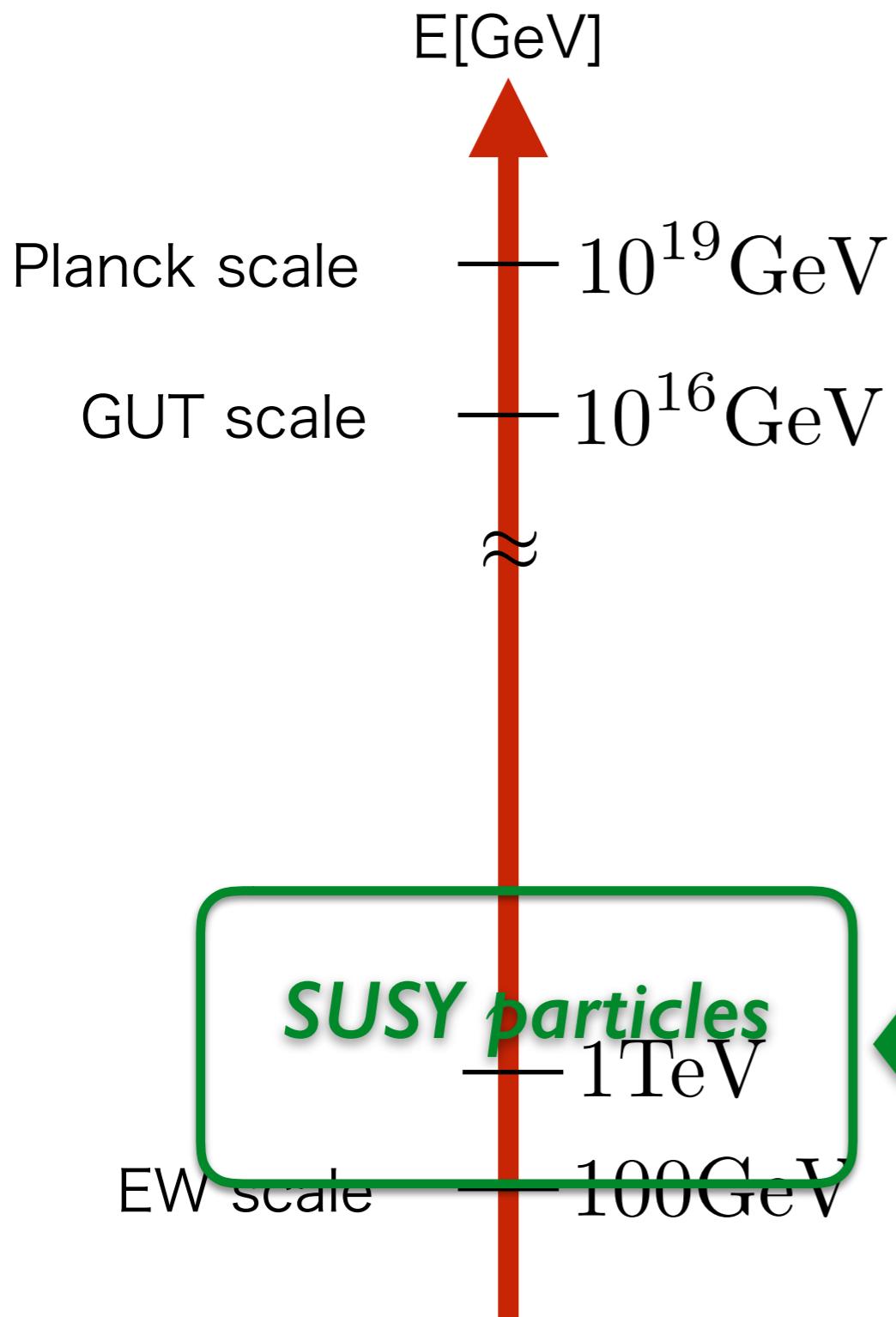
Origin of EW scale

Dark matter

Typical scenario of SUSY GUT



Typical scenario of SUSY GUT



***There are many SUSY particles,
many possibilities of the spectrum.***

(spins are different.)

SUSY particles

SM particles

gauginos
(*gluino,wino,Bino*)

gauge bosons

Higgsino

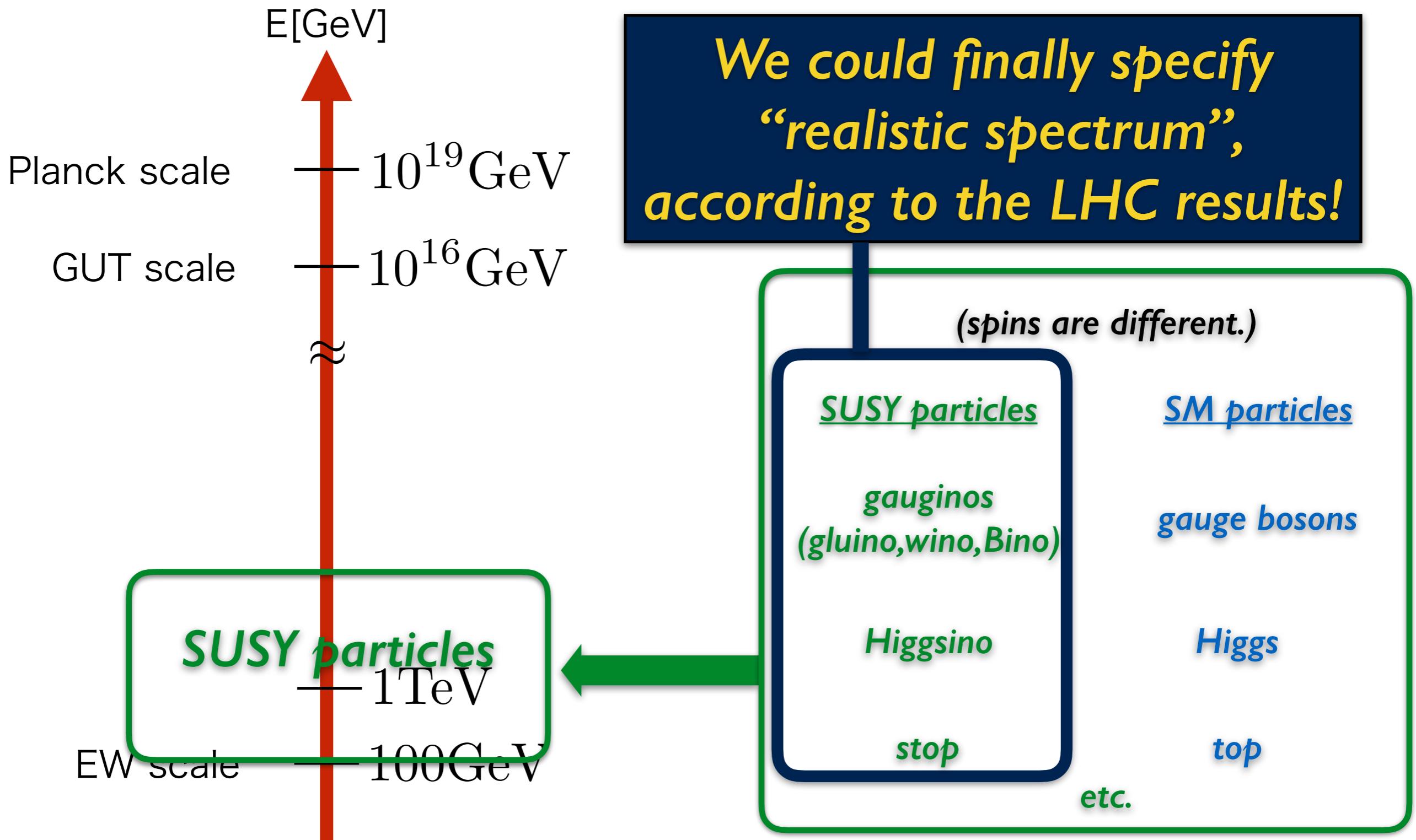
Higgs

stop

top

etc.

Typical scenario of SUSY GUT



Relevant LHC results

Direct search at LHC

model-dependent but...

$$m_{gluino} \gtrsim 1.5 \text{ TeV}, m_{squark} \gtrsim 1.3 \text{ TeV}$$

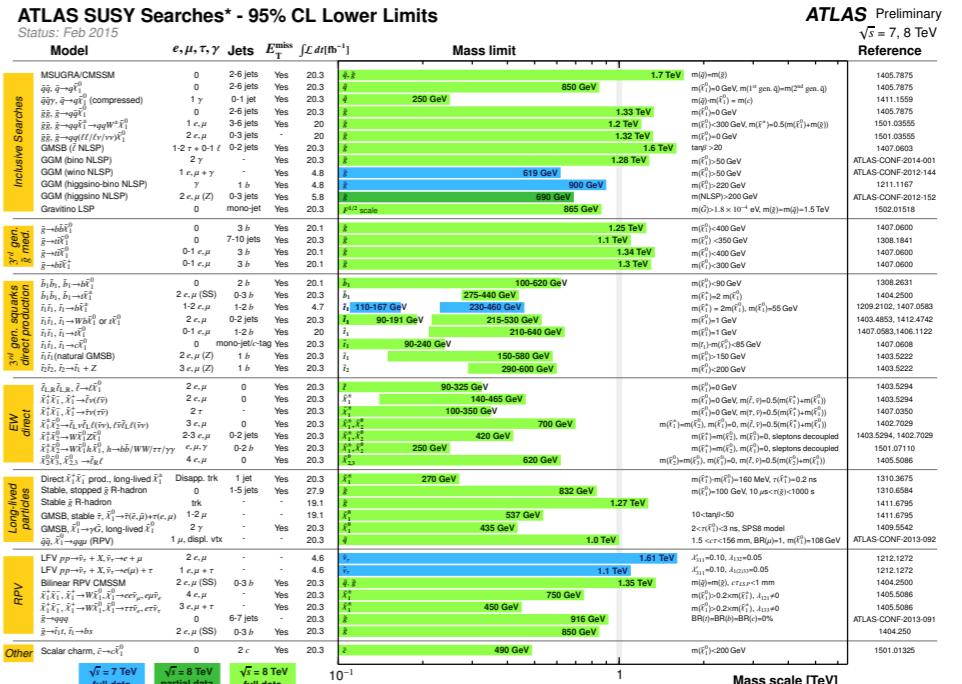
$$m_{stop} \gtrsim 700 \text{ GeV}$$

Higgs mass is around 125 GeV

MSSM prediction

$$m_h^2 \leq M_Z^2 \cos^2 2\beta + \Delta m_h^2(m_{stop}^2, A_t - \mu/\tan\beta)$$

loop correction



SM parameters from LHC

$$m_h^2 \leq M_Z^2 \cos^2 2\beta + \Delta m_h^2(m_{stop}^2, A_t - \mu/\tan\beta)$$

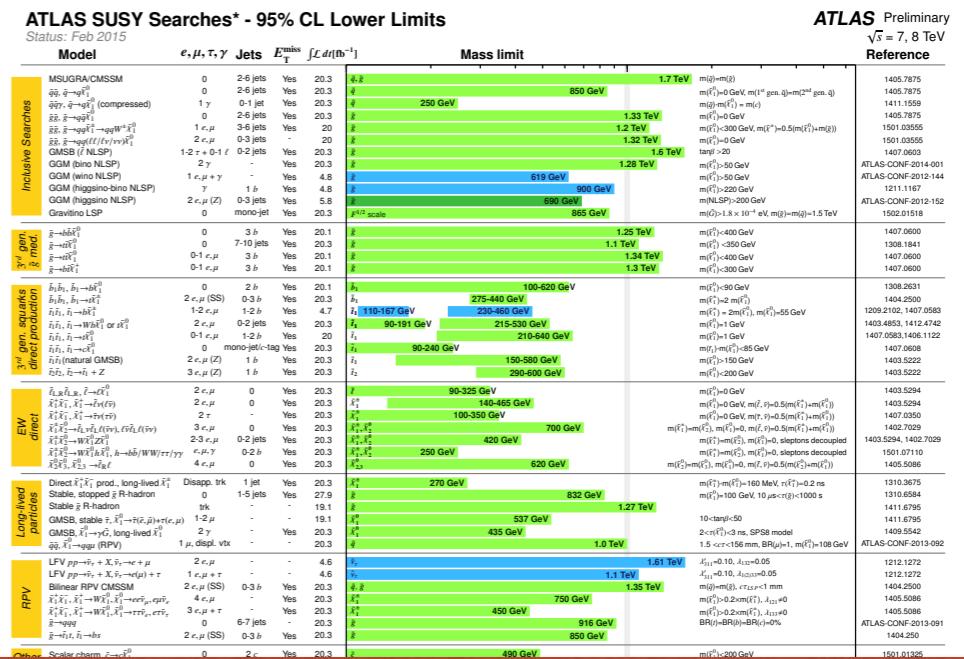
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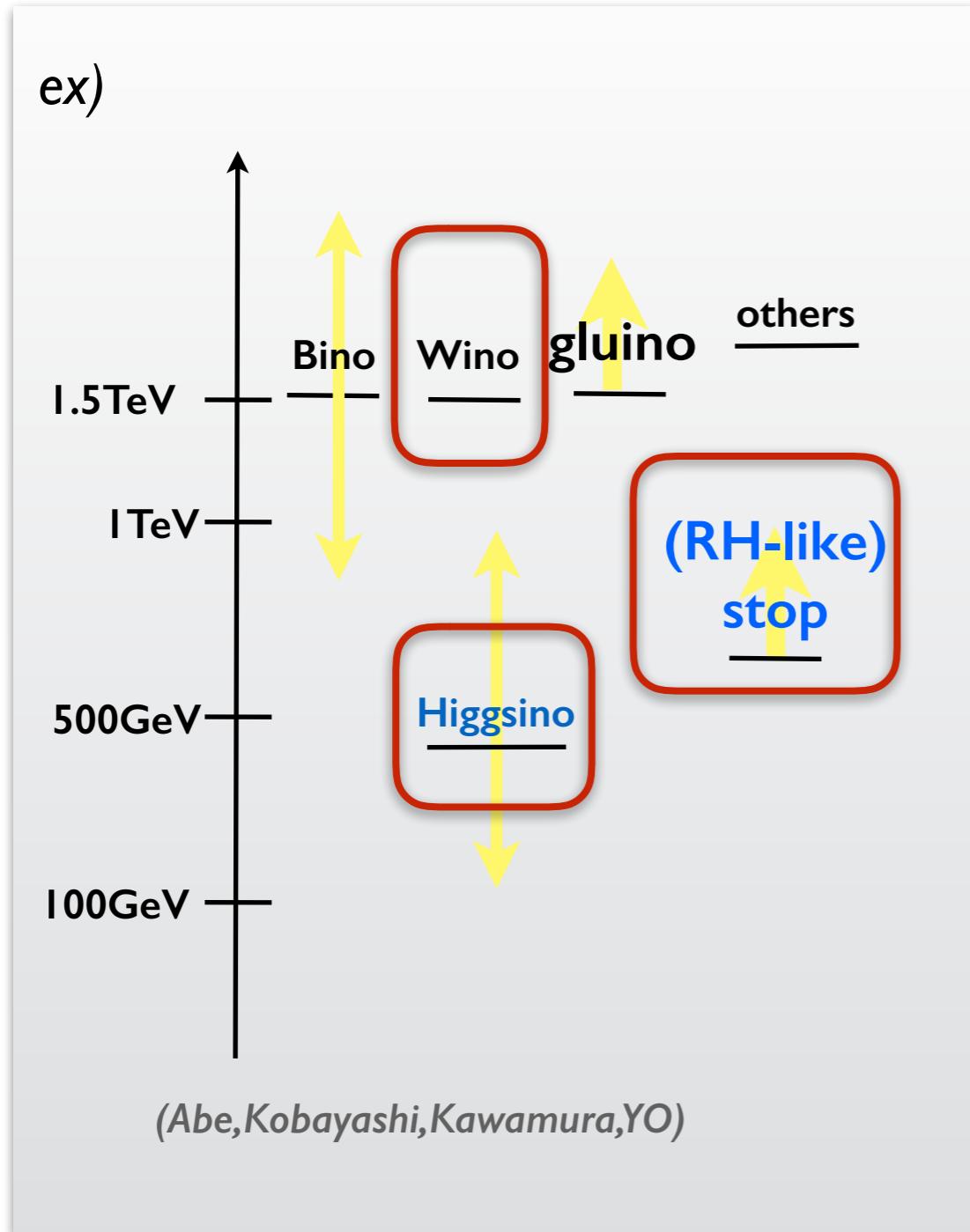
Many scenarios excluded!!

Especially, it is getting very difficult to realize the EW scale in SUSY!

$$m_h^2 \leq M_Z^2 \cos^2 2\beta + \boxed{\Delta m_h^2(m_{stop}^2, A_t - \mu/\tan\beta)}$$

loop correction

One possible spectrum is



Specific SUSY spectrum can realize 125 GeV Higgs mass and EW scale.

No hierarchy between Higgsino and EW scale.

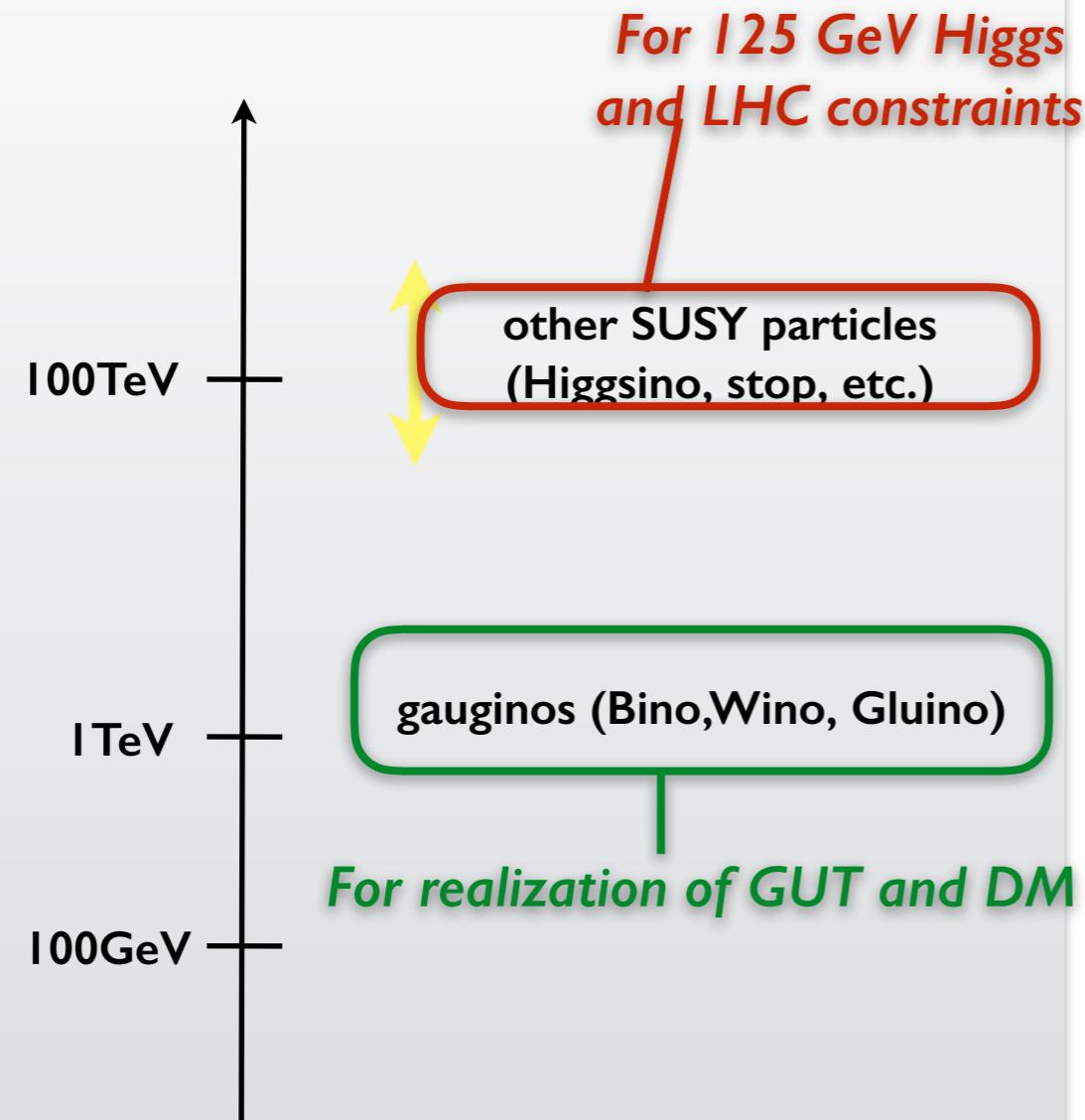
→ No fine-tuning in Higgs potential.

“Naturally EW scale is realized!”

We can prove this kind of scenarios by direct stop/gluino searches at the LHC.

Another possible spectrum is

High-scale SUSY (Split SUSY)



Simply very large SUSY scale can realize 125 GeV Higgs mass.

Big hierarchy between Higgsino and EW scale.

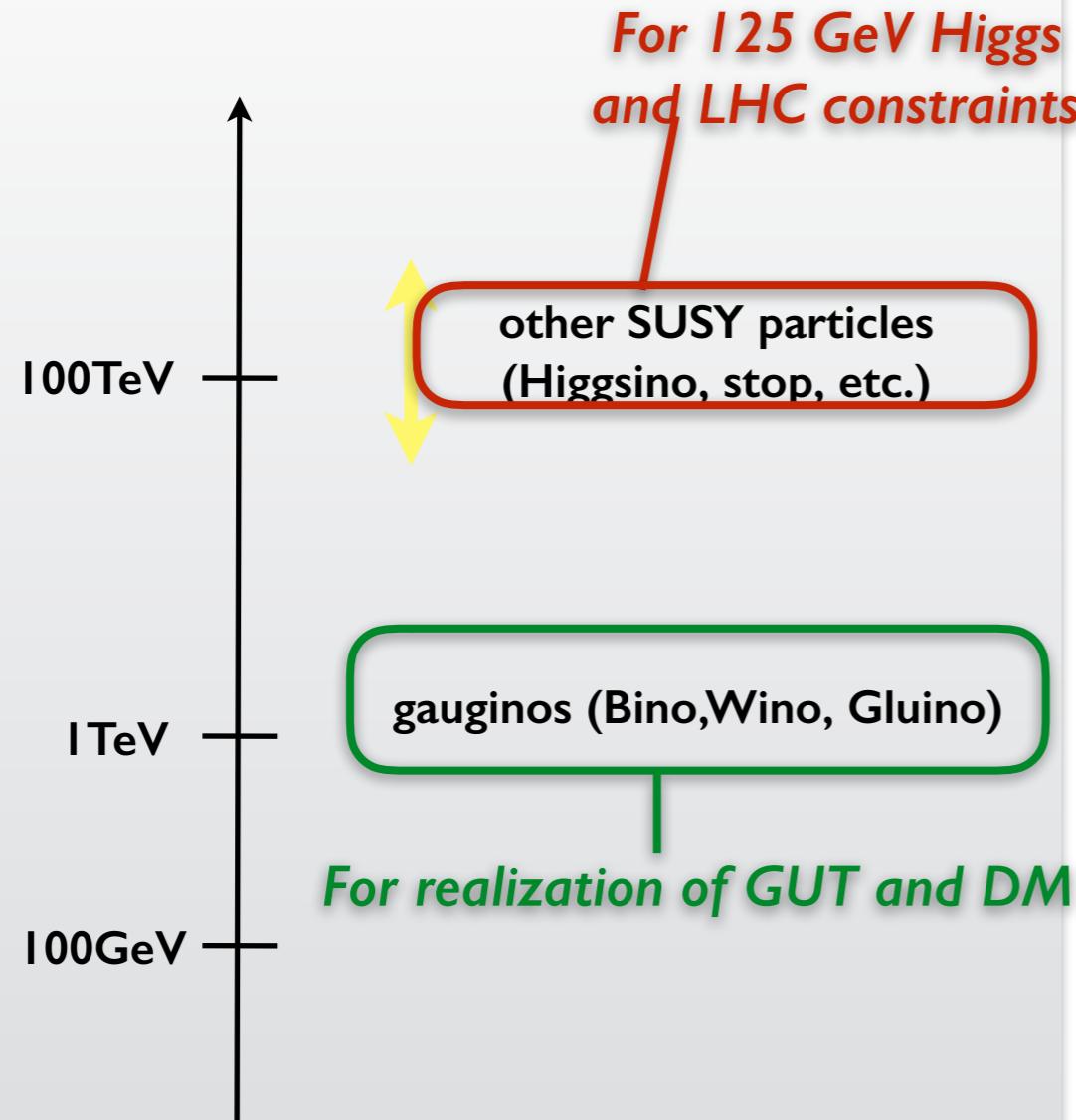
→ Require fine-tuning in Higgs potential

“The EW scale is given by the very fine-tuning!”

(*Arkani-Hamed, Dimopoulos, 04'; Giudice, Romanino 04'; Cabrera, Casas, Delgado, 11'; Guidice, Strumia, 11'; Hall, Nomura, 11'; Arkani-Hamed, Gupta, et.al, 12'; Ibe, Matsumoto, Yanagida, 12'; Hisano, Kuwahara, Nagata, 13'; Hisano, Muramatsu, Shigekami, YO, Yamanaka, 14', 16'; etc..*)

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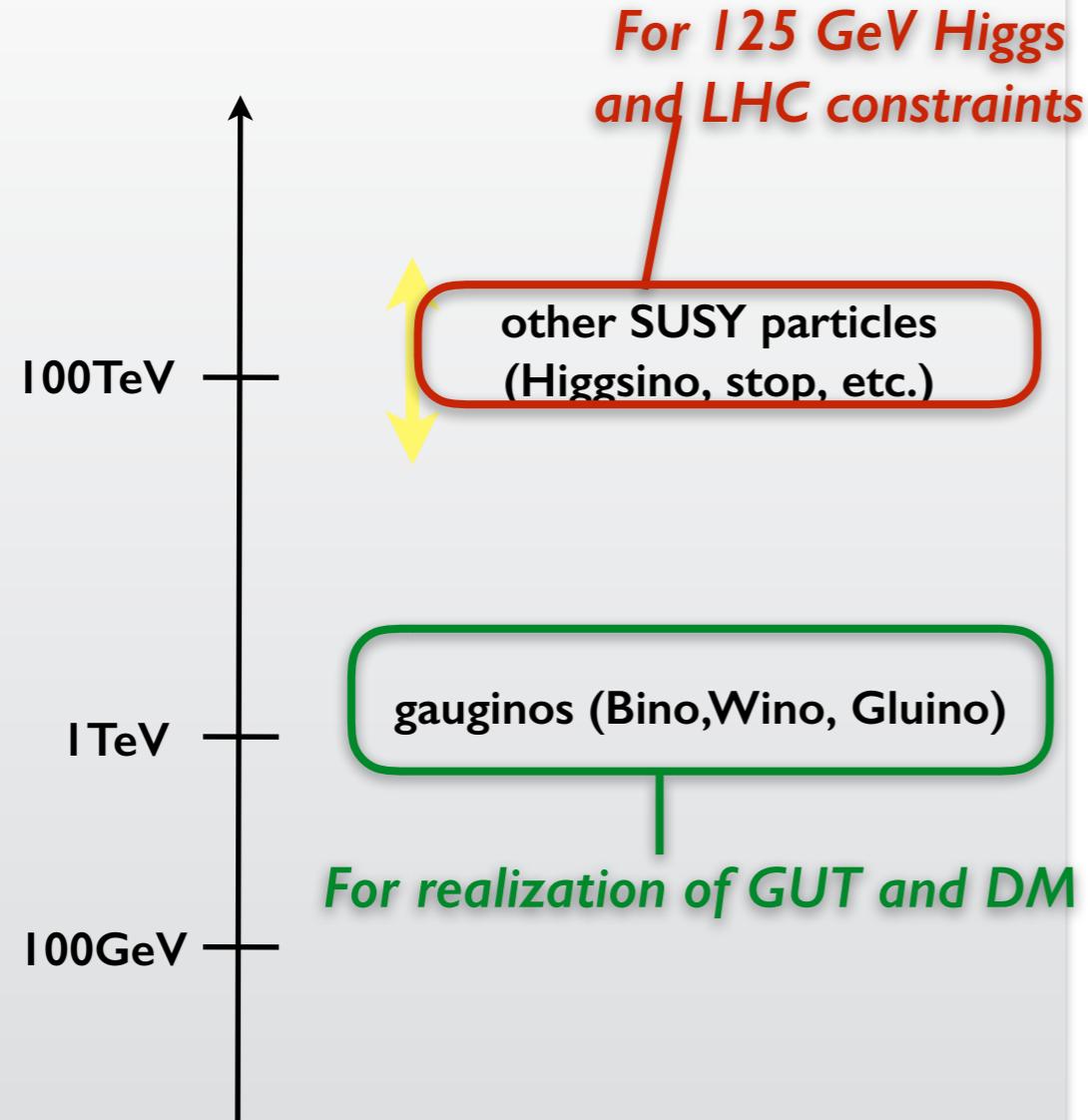
“The EW scale is given by the very fine-tuning!”

How can we prove this kind of scenario?

(Arkani-Hamed, Dimopoulos, 04'; Giudice, Romanino 04';
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How can we prove this kind of scenario?

→ We propose flavor physics in this talk!

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Hisano, Muramatsu, Shigekami, YO, Yamanaka, 14', 16'; etc..)

There are several hints in high-scale SUSY GUT:

Yukawa unification.

SO(10) and E6 GUTs predict extra gauge symmetry.

- We discuss the SO(10) GUT which realize the realistic Yukawa couplings.
- Z' interaction from SO(10) relates to the hierarchy, and **GUT could be tested by flavor physics!**

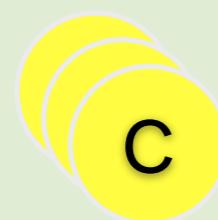
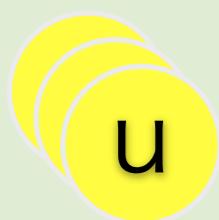
Setup

Standard Model ($SU(3)_c \times SU(2)_L \times U(1)_Y$)

spin-1/2

quarks

$SU(3)_c$ -charged

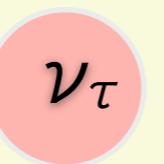
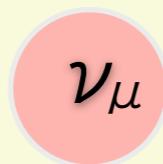
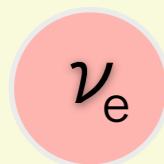


EM-charge

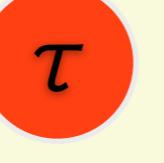
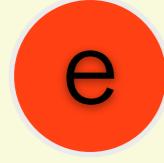
+2/3

-1/3

leptons



0



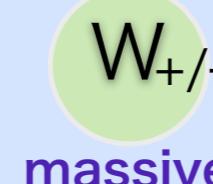
-1

spin-1

$SU(3)_c$ gauge



$SU(2)_L \times U(1)_Y$



spin-0

Higgs



breaks

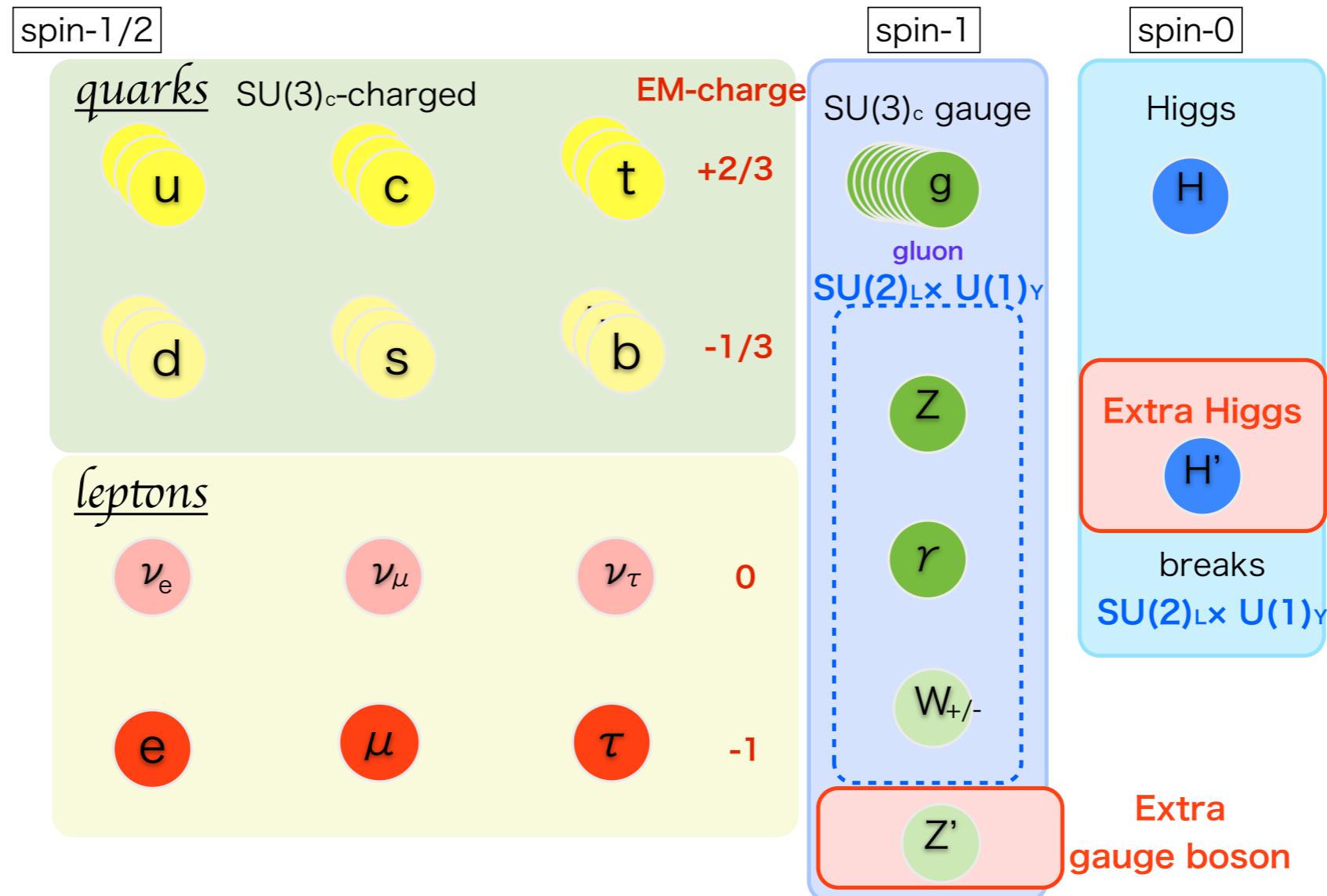
$SU(2)_L \times U(1)_Y$

carry forces

SO(10) Embedding: $SU(3)_c \times SU(2)_L \times U(1)_Y \times U(1)_X \rightarrow SO(10)$

extra

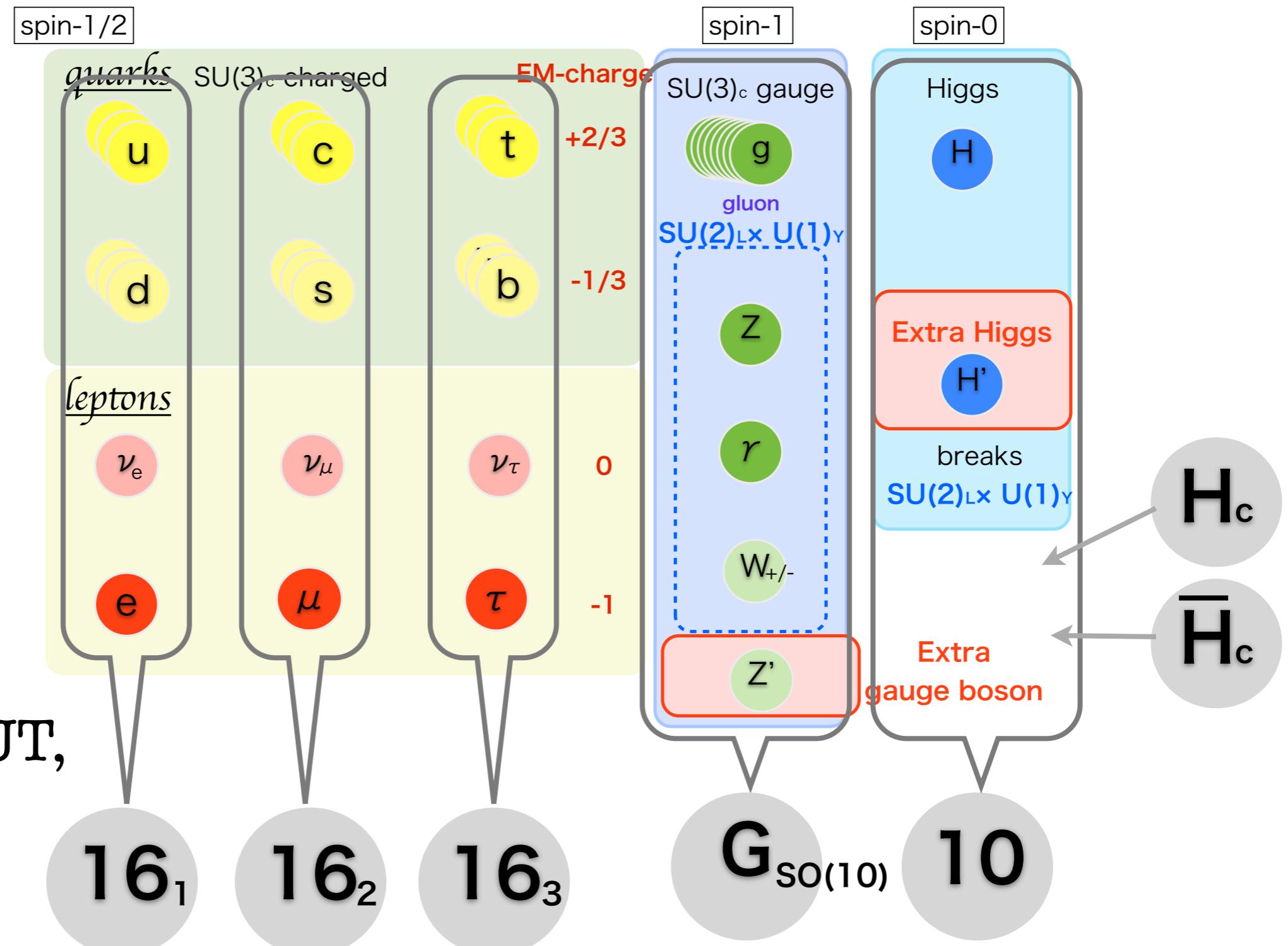
slightly extended SM



SO(10) Embedding: $SU(3)_c \times SU(2)_L \times U(1)_Y \times U(1)_X \rightarrow SO(10)$

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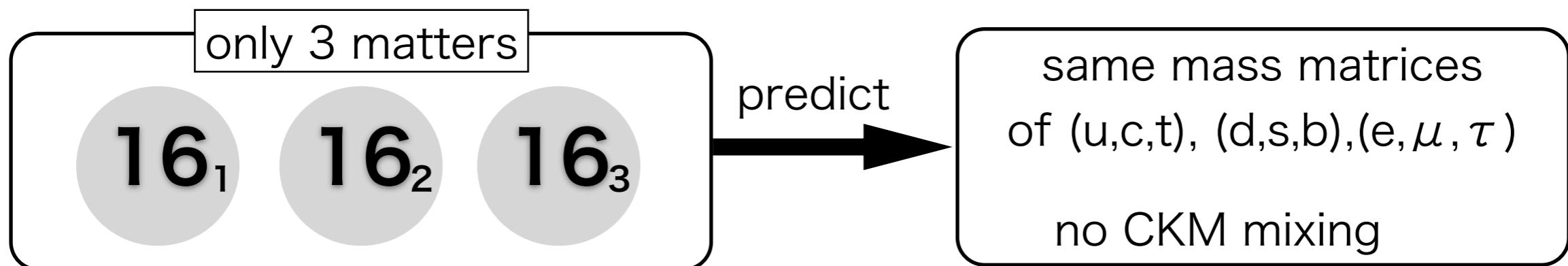


matter also unified

This looks elegant and we expect the GUT exists at the high scale.

But we can easily notice that

it is not simple to realize the realistic Yukawa couplings in the GUT.



Couplings for Mass matrices are

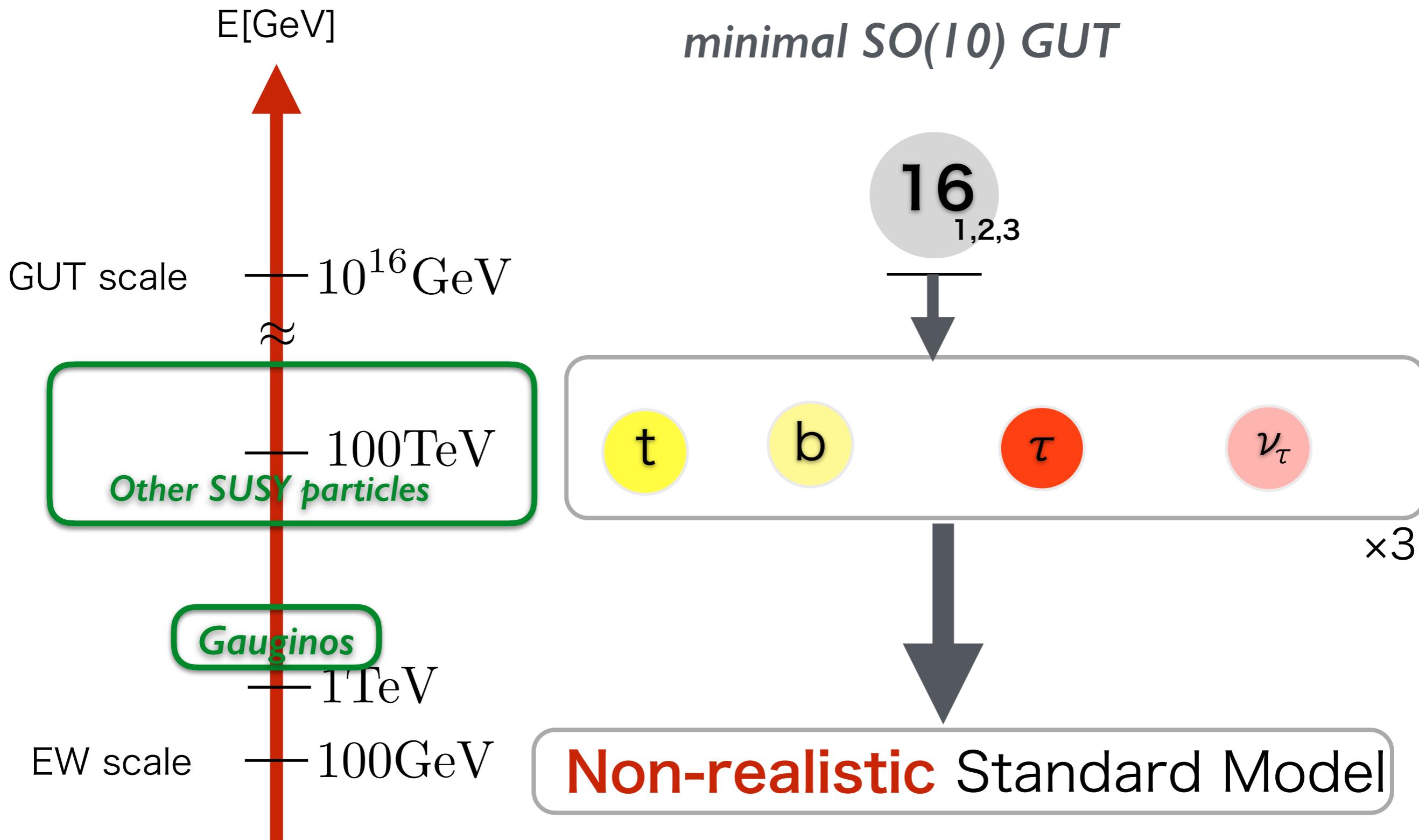
$$y_{ij} 16^i 16^j 10_H \rightarrow y_{ij}^u Q_L^i U_R^{cj} H_u + y_{ij}^d Q_L^i D_R^{cj} H_d + y_{ij}^l L^i E_R^{cj} H_d$$

can be diagonalized

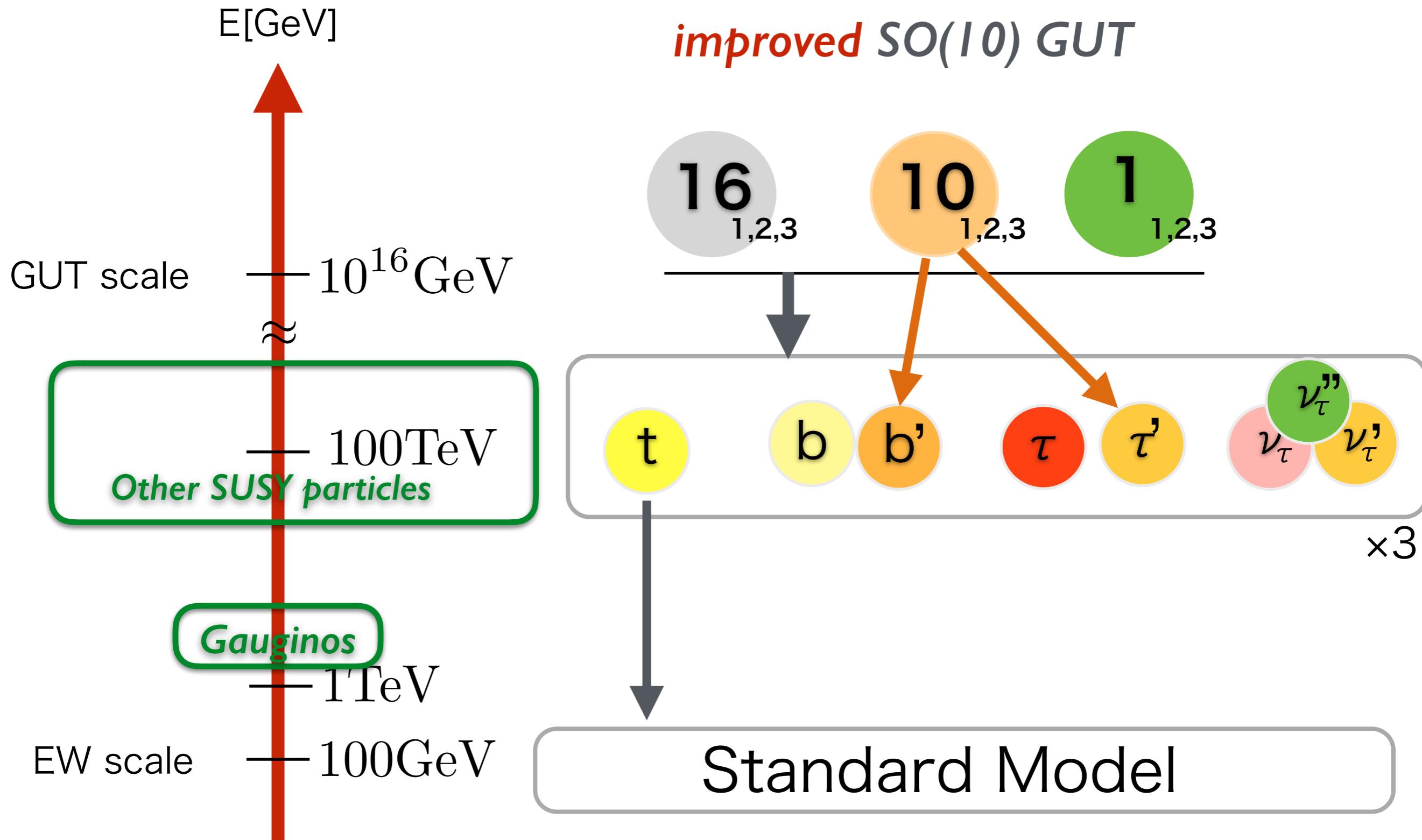
same structures of Yukawa (Mass matrices)

$$y_{ij}^u = \frac{m_i^u}{v \sin \beta} \delta_{ij} \approx y_{ij}^d \approx y_{ij}^l$$

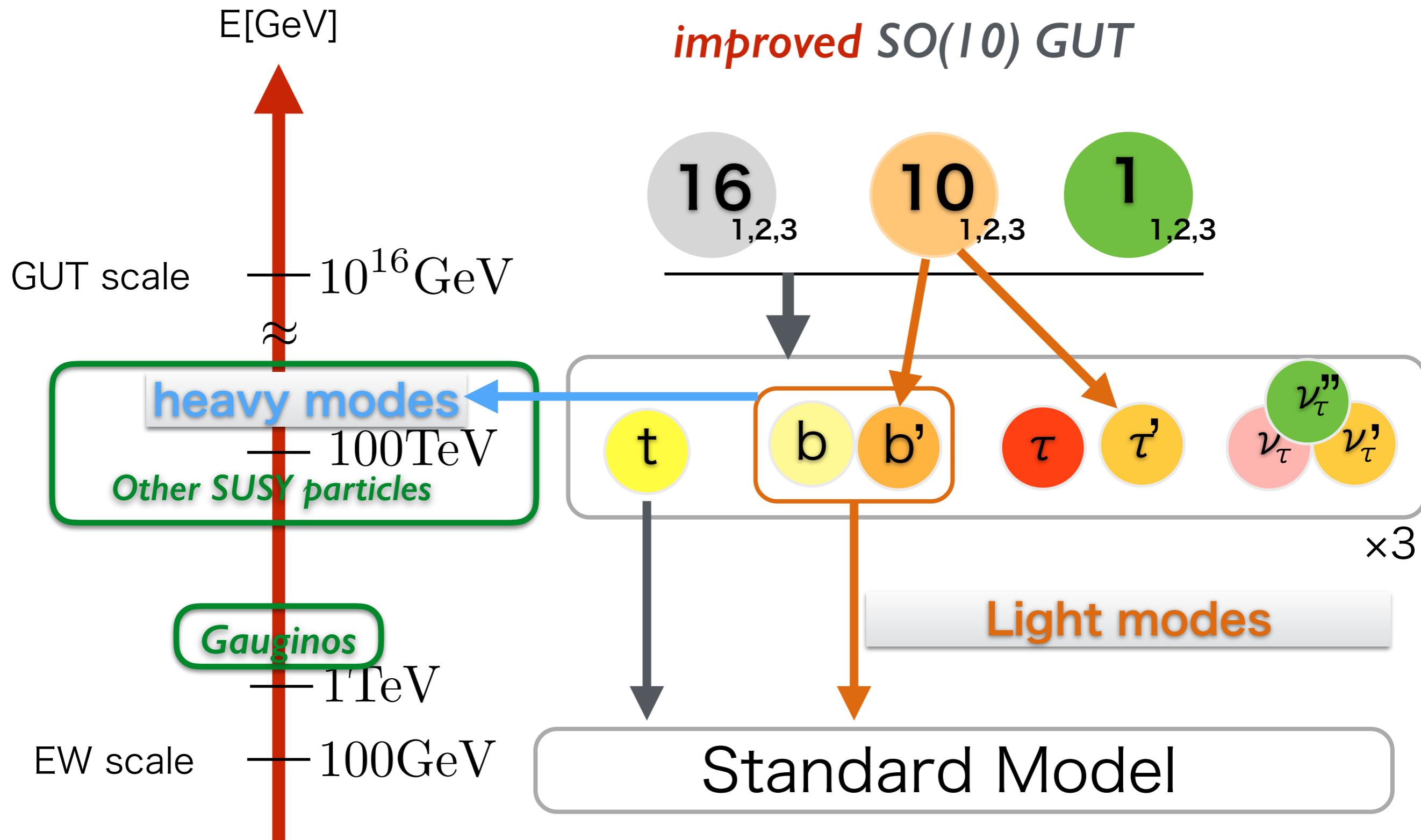
Rough sketch of our scenario



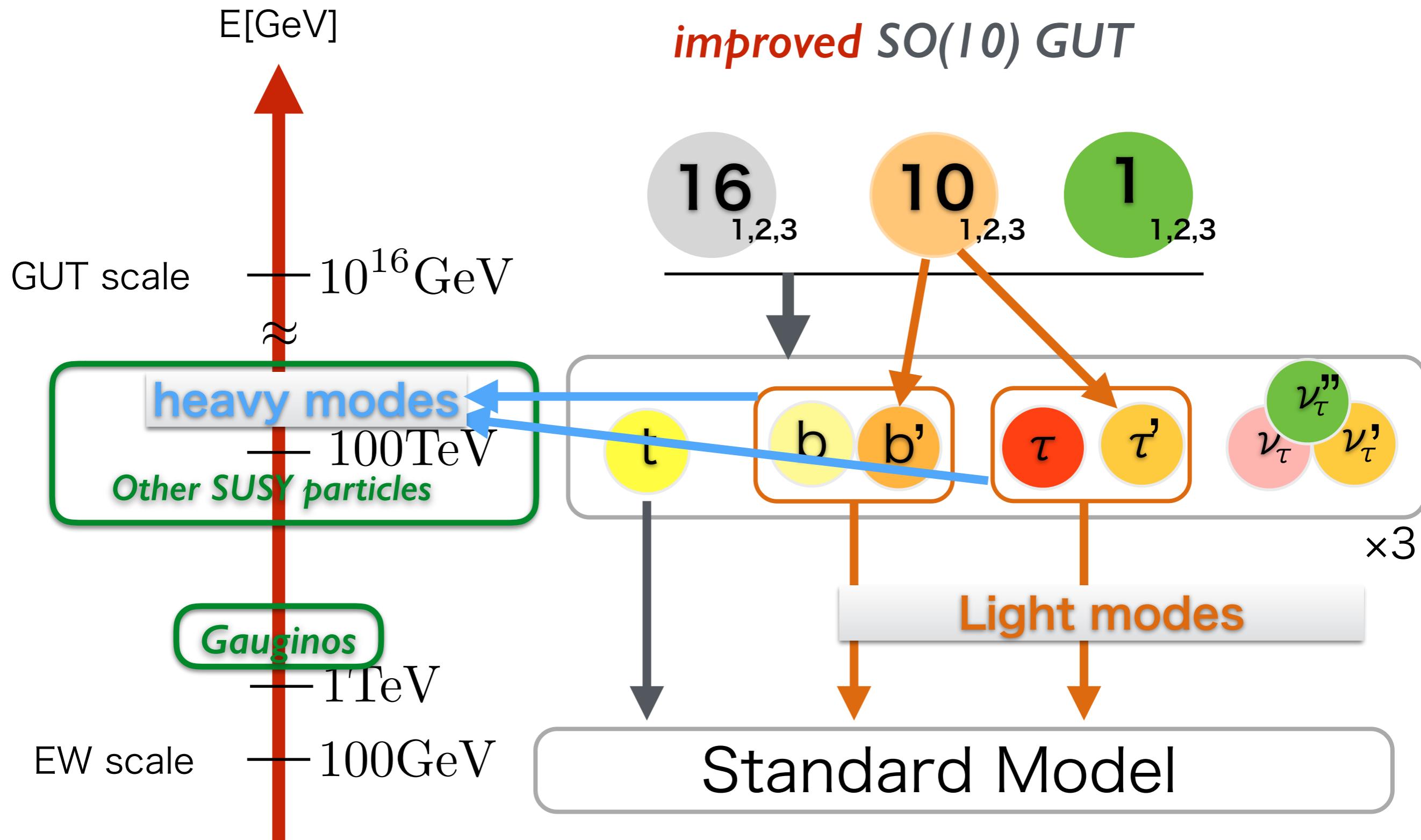
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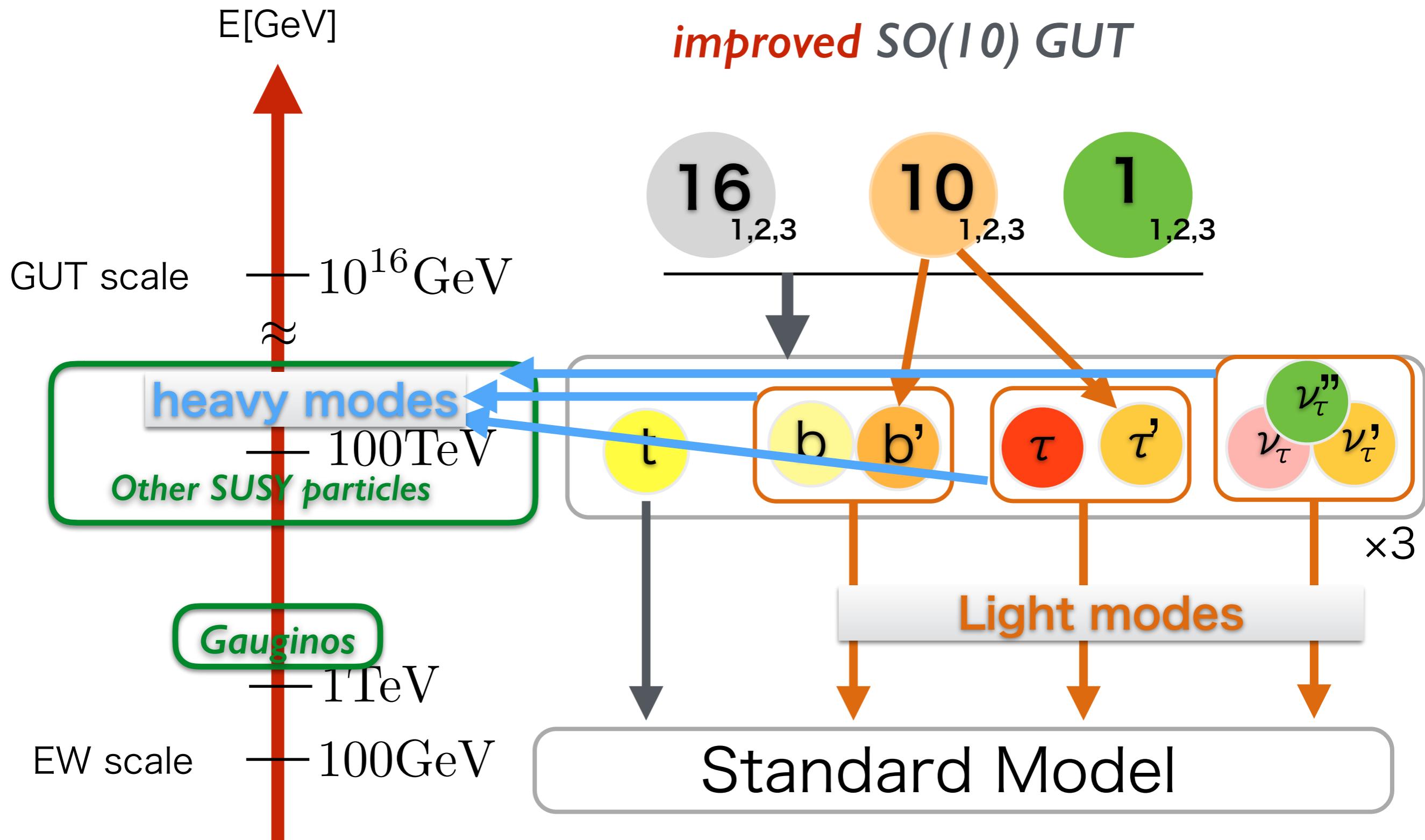
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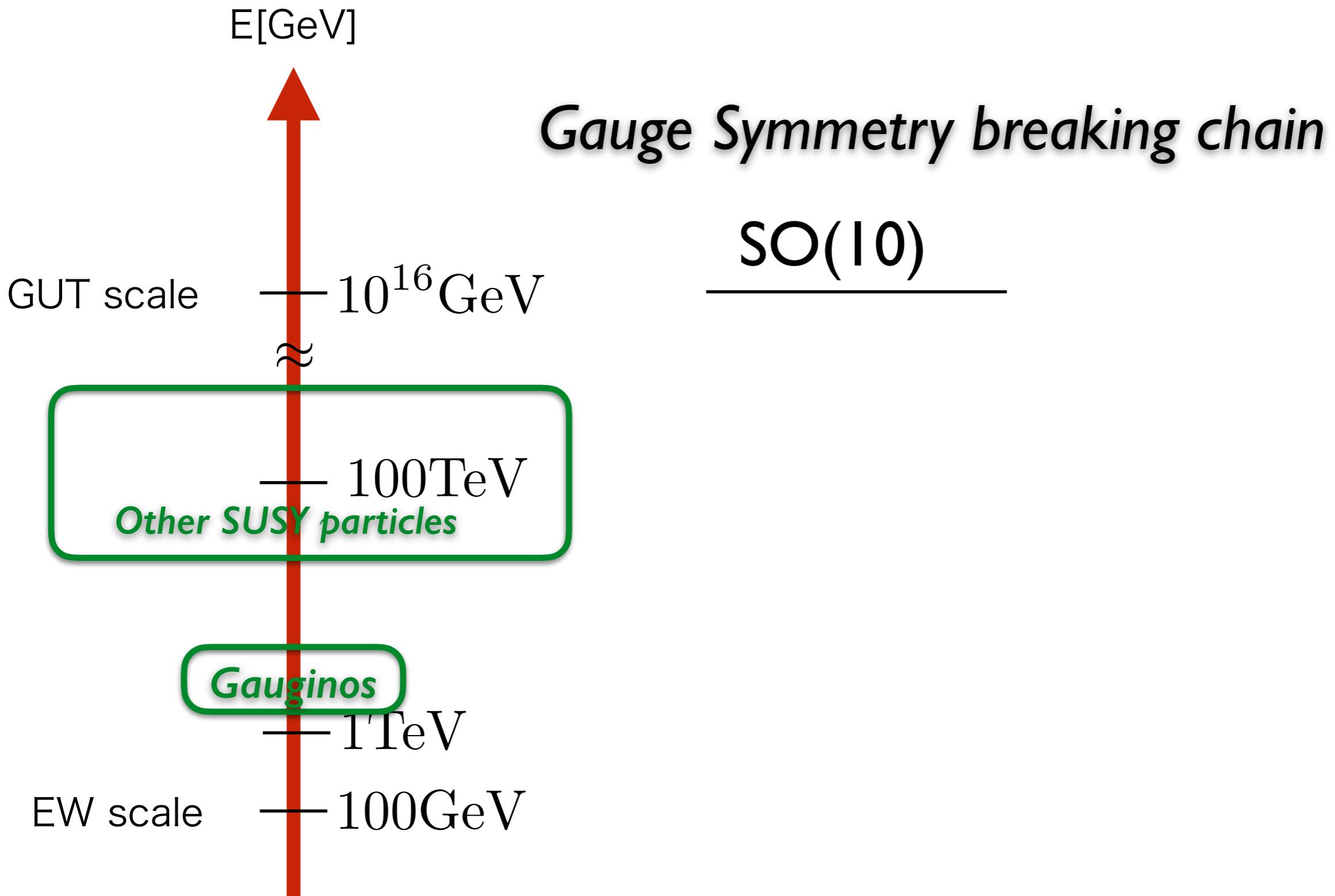
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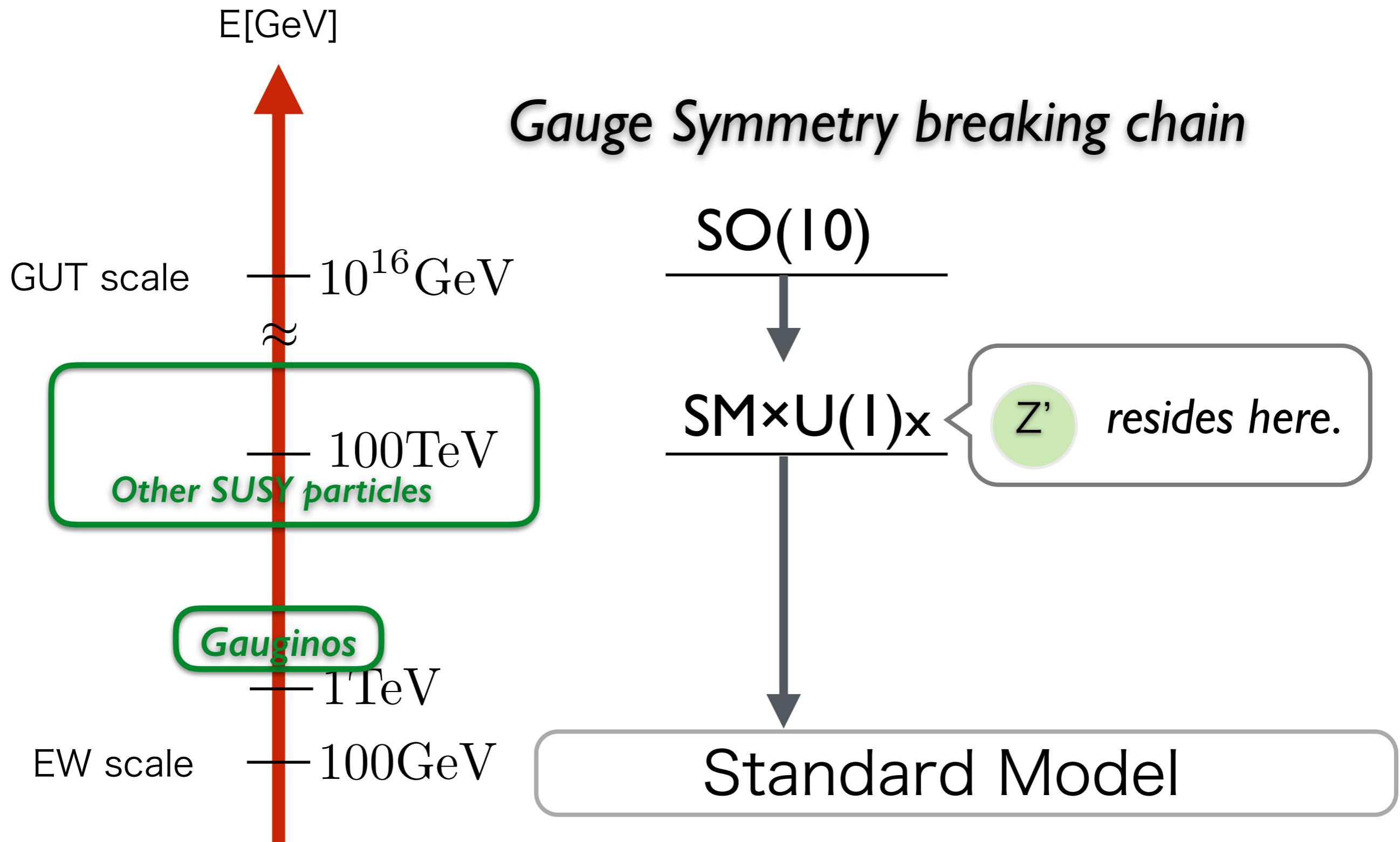
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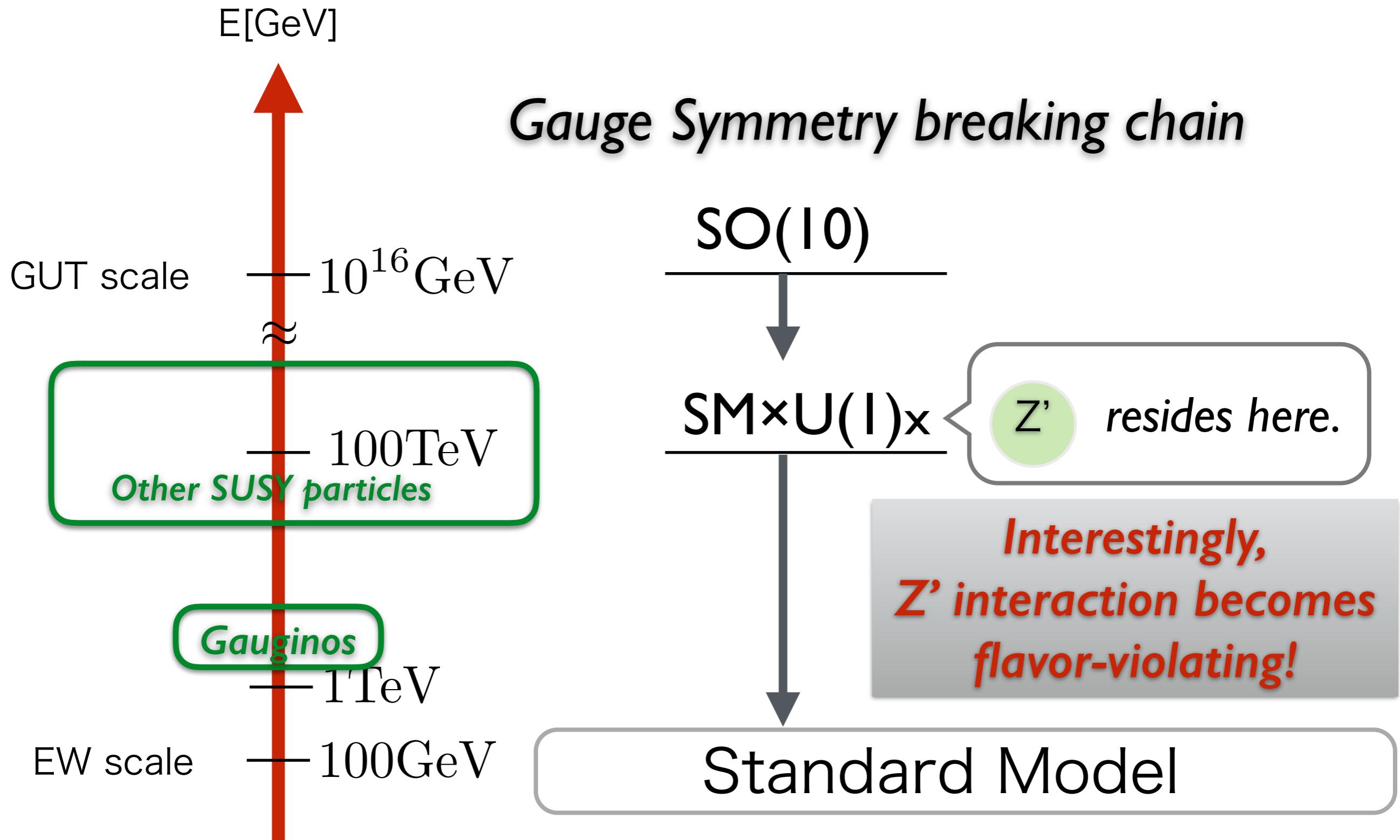
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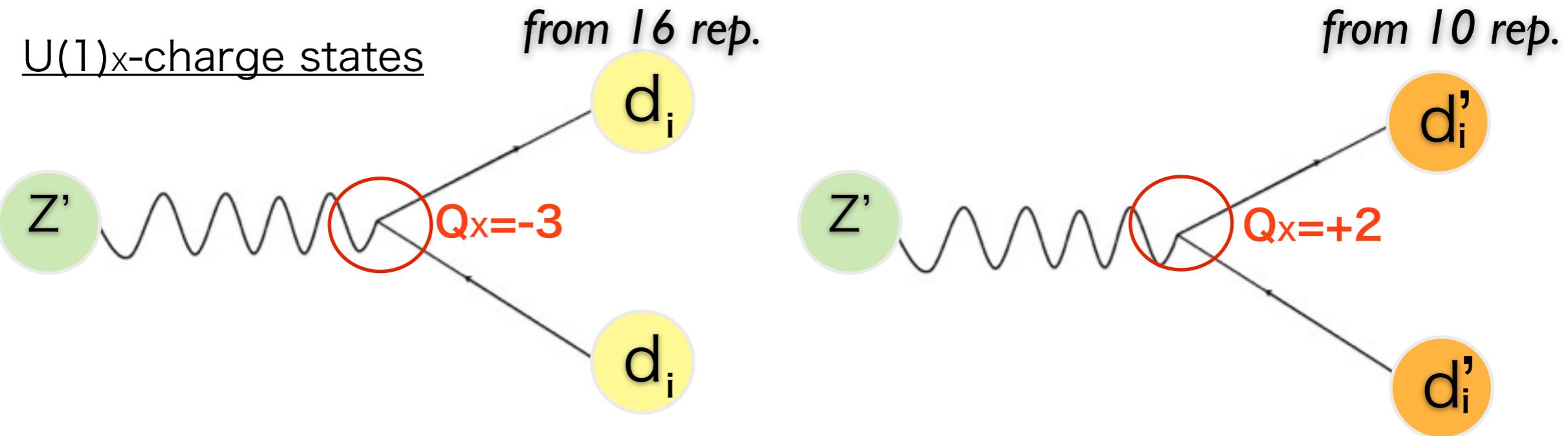
Rough sketch of our scenario



This is because



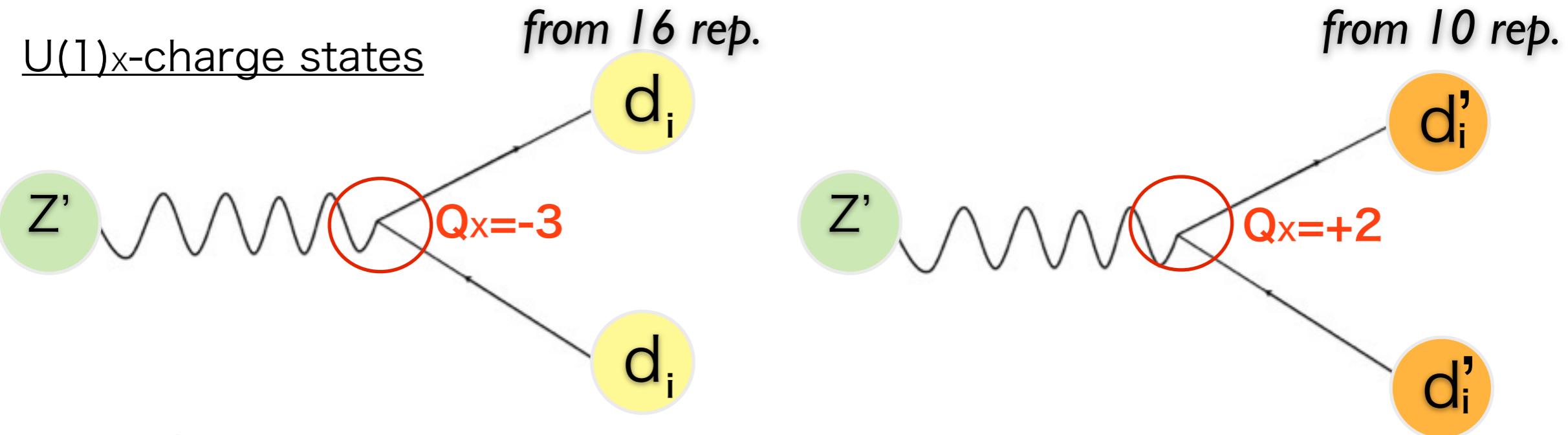
carry different $U(1)_x$ charges



This is because

d_i and d'_i
extra

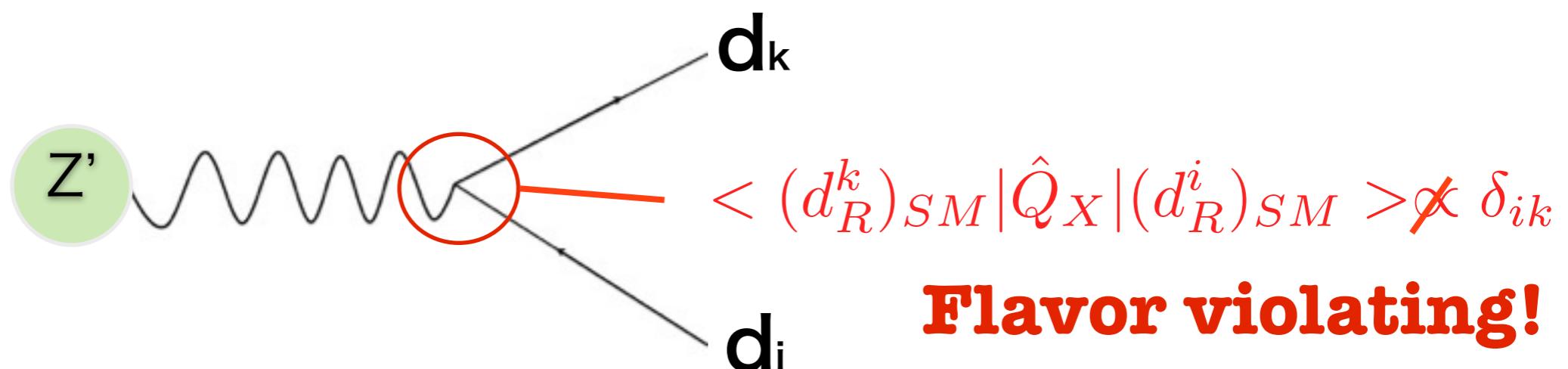
carry different $U(1)_X$ charges



mass eigenstates

down-type quarks

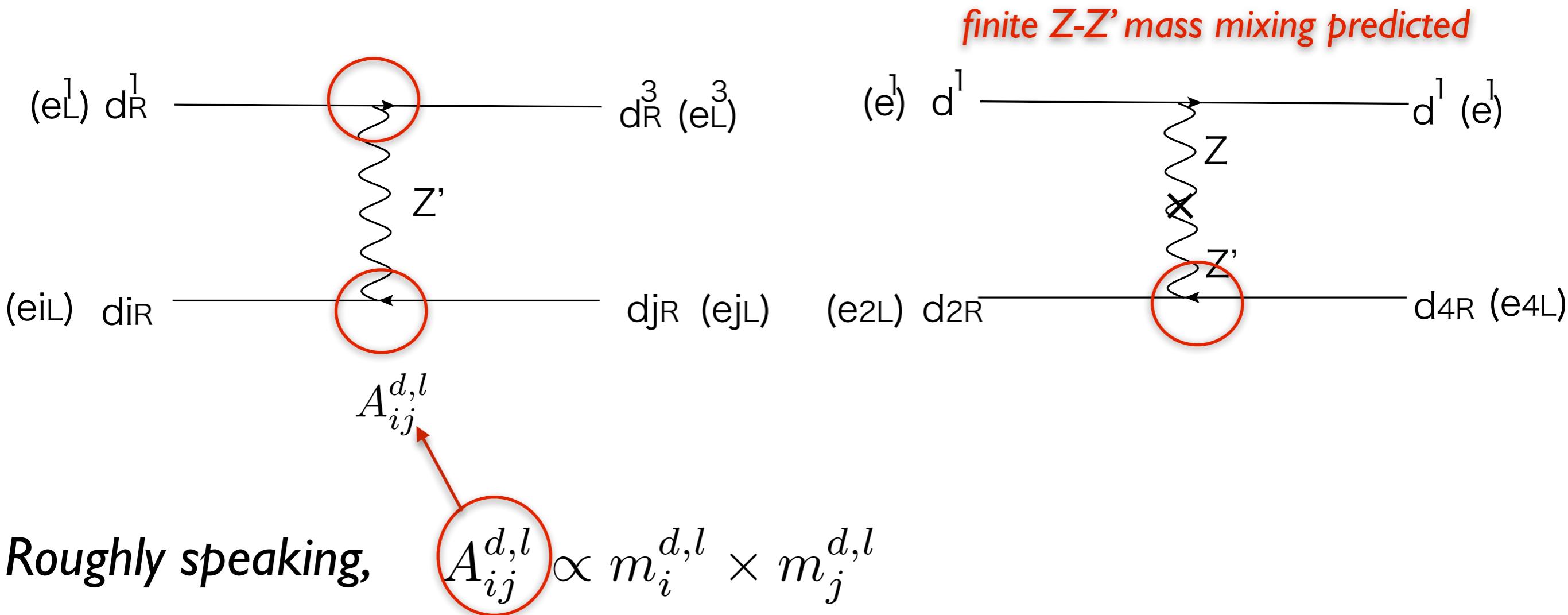
$$|(d_R^i)_{SM} > = U_{ij} |d_R^j(-3) > + U'_{ij} |d'_R^j(+2) >$$



Our Predictions

The detail shown
in Shigekami's poster

Left-handed leptons and right-handed down-type quarks have FCNCs corresponding to the fermion mass hierarchy.



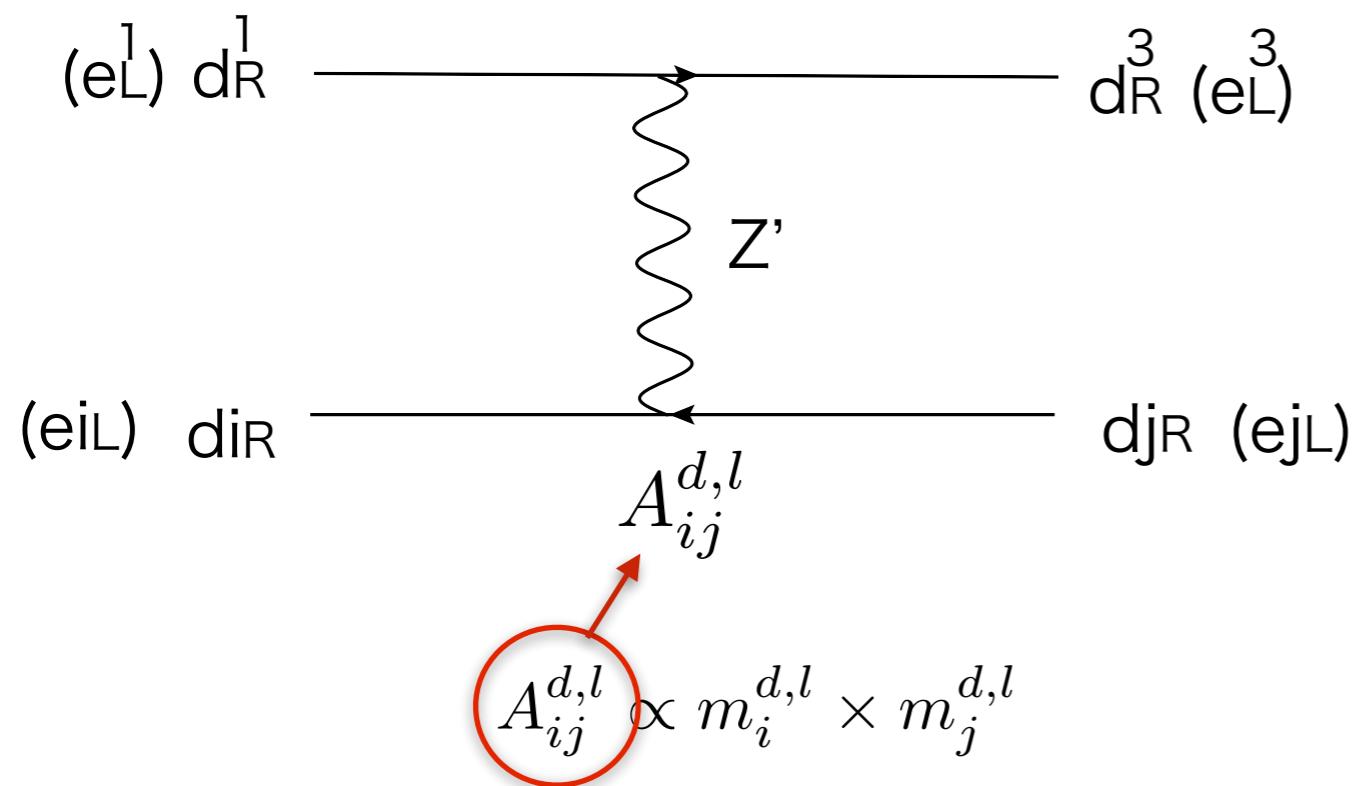
Roughly speaking,

For instance, (b,s) element is relatively large

Flavor Physics

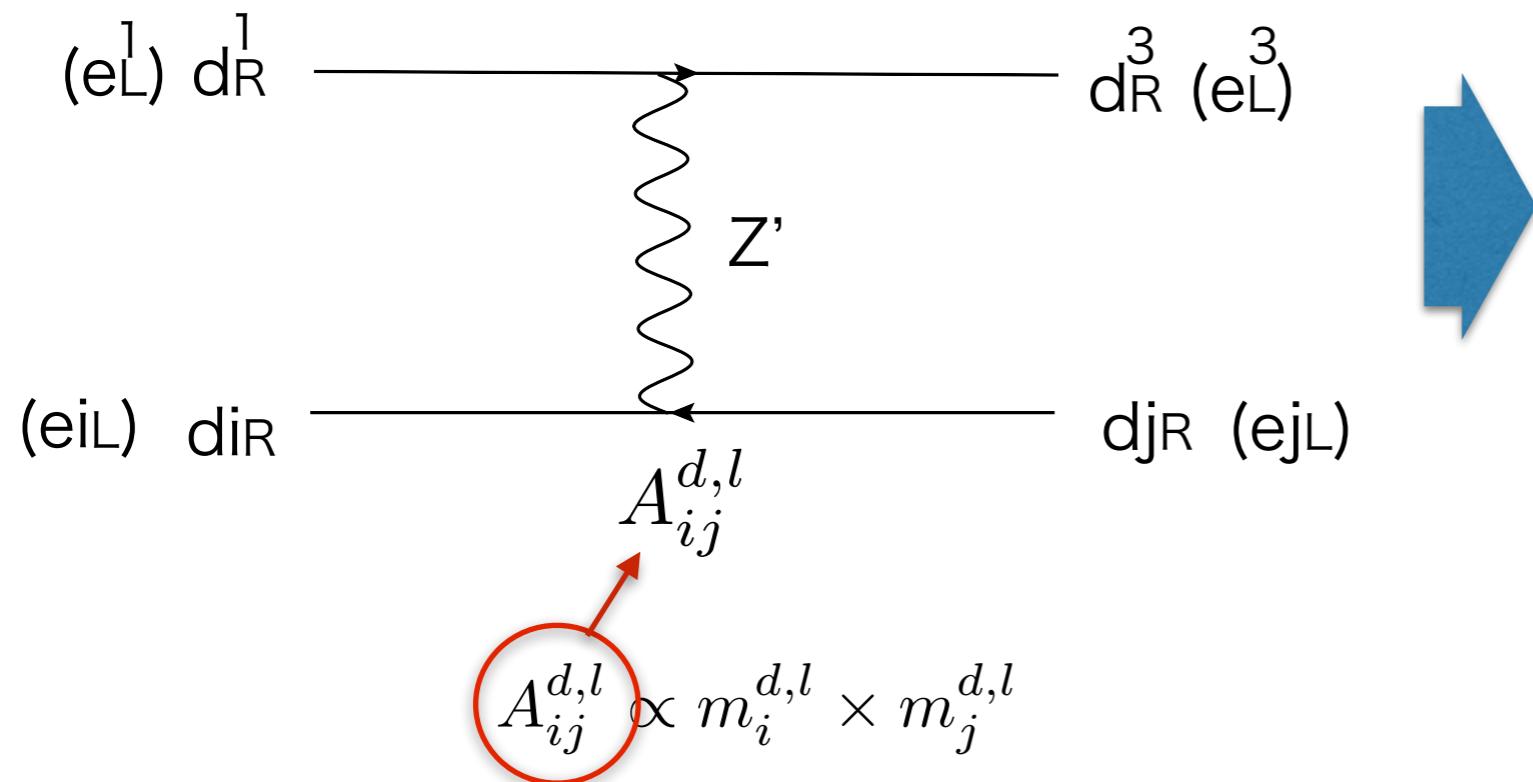
Relevant processes

(See Shigekami's poster)



Relevant processes

(See Shigekami's poster)



$\Delta F=2$ processes

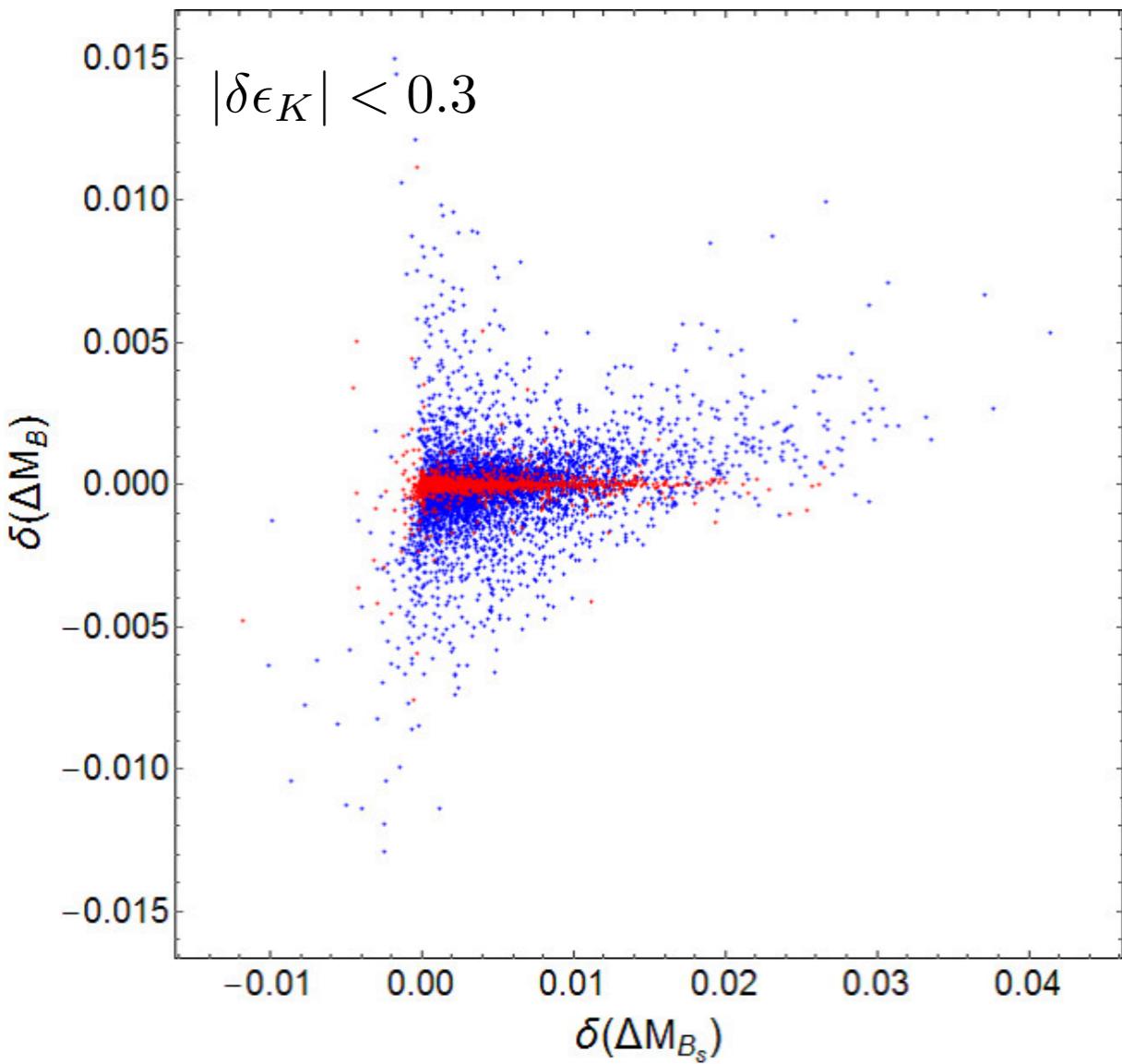
ϵ_K is most sensitive.

**The deviation of $B_s-\bar{B}_s$ mixing
is also relatively large.**

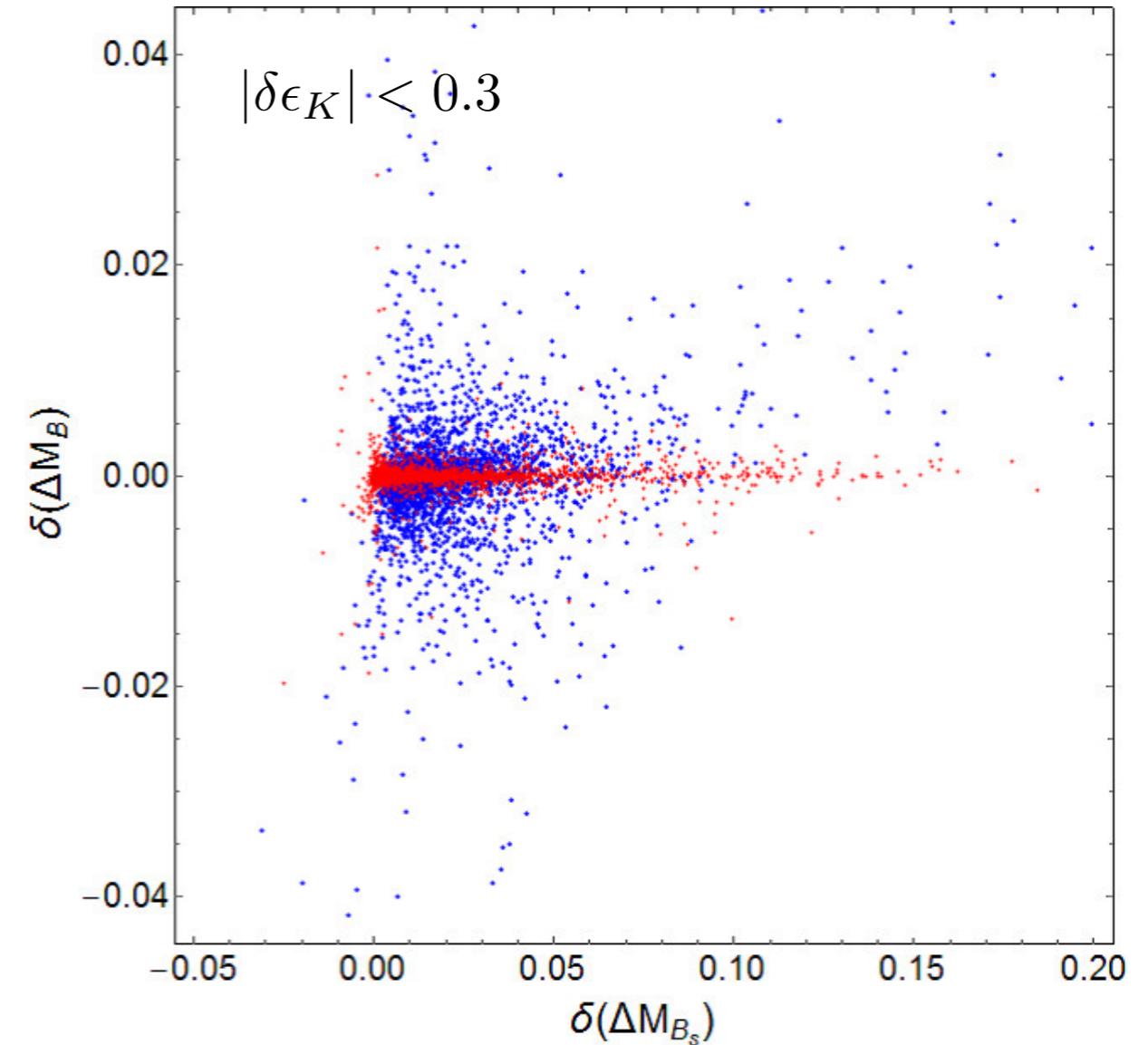
Deviations in $B_{(s)}-\overline{B}_{(s)}$ compared to the SM predictions

Actually, there are free parameters to fit all experimental data.

$$M_{Z'} \approx 100 \text{TeV}$$



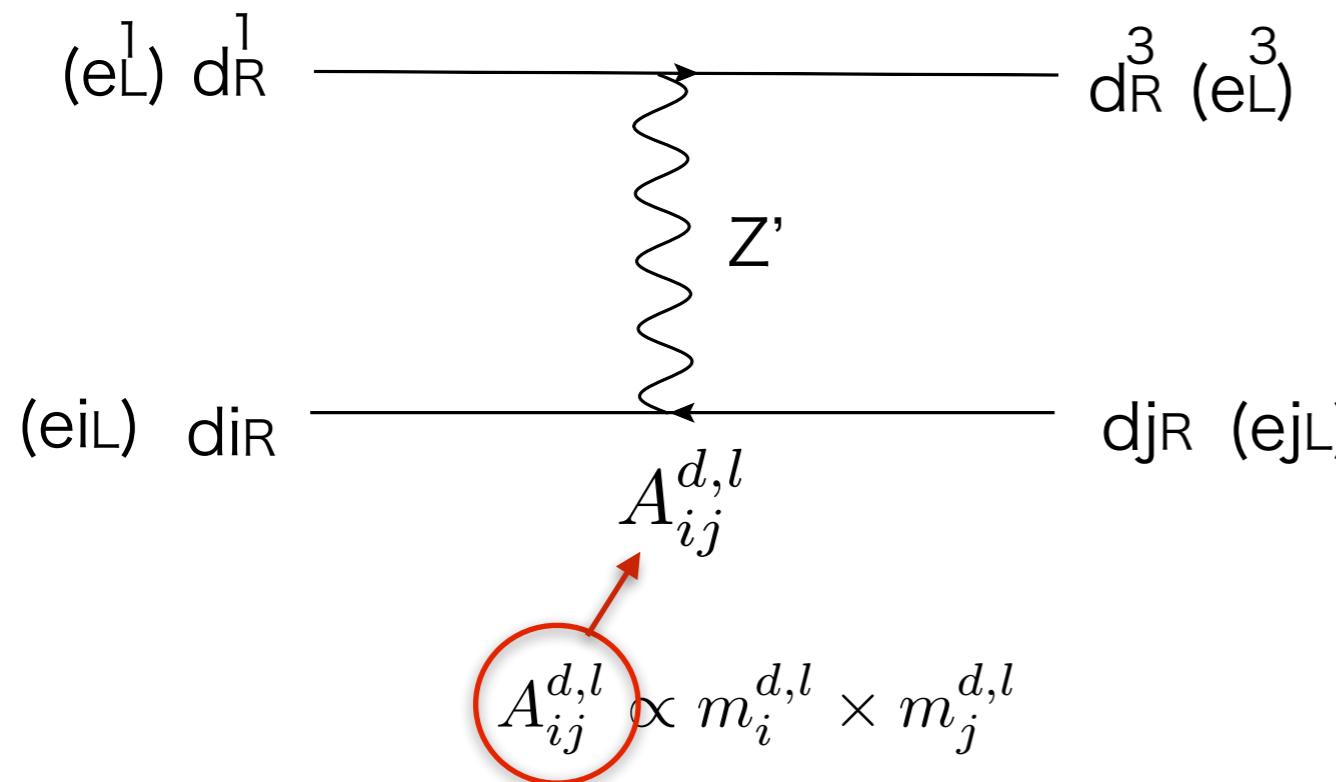
$$M_{Z'} \approx 36 \text{TeV}$$



The deviation of B_s - \overline{B}_s mixing reaches 10 % if Z' mass $O(10)$ TeV.

Relevant processes

(See Shigekami's poster)



$\Delta F=2$ processes

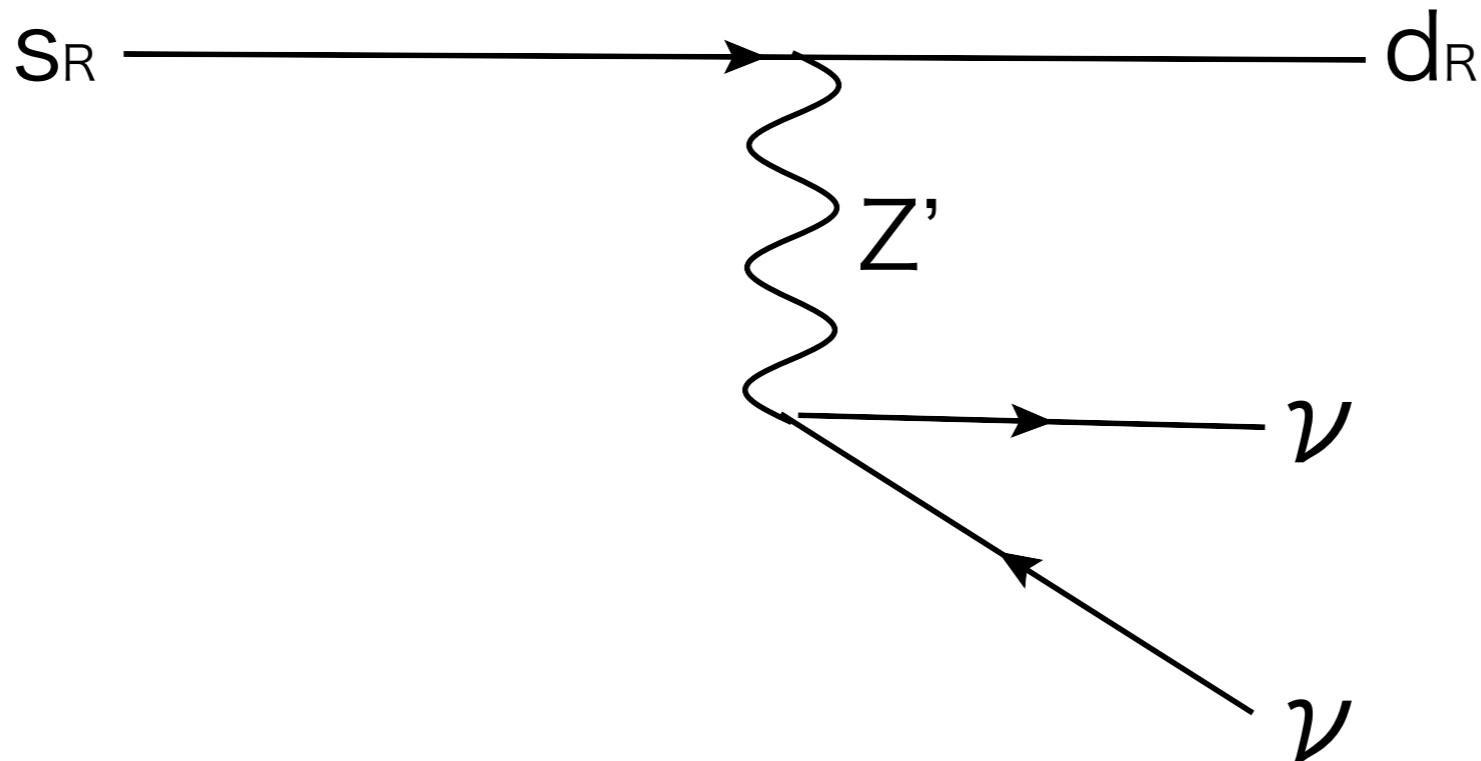
ϵ_K is most sensitive.

The deviation of B_s - \bar{B}_s mixing
is also relatively large.

How about other processes?

Deviations in rare K decay

$K_L \rightarrow \pi^0 \nu \bar{\nu}$ will be measured by the KOTO experiment.



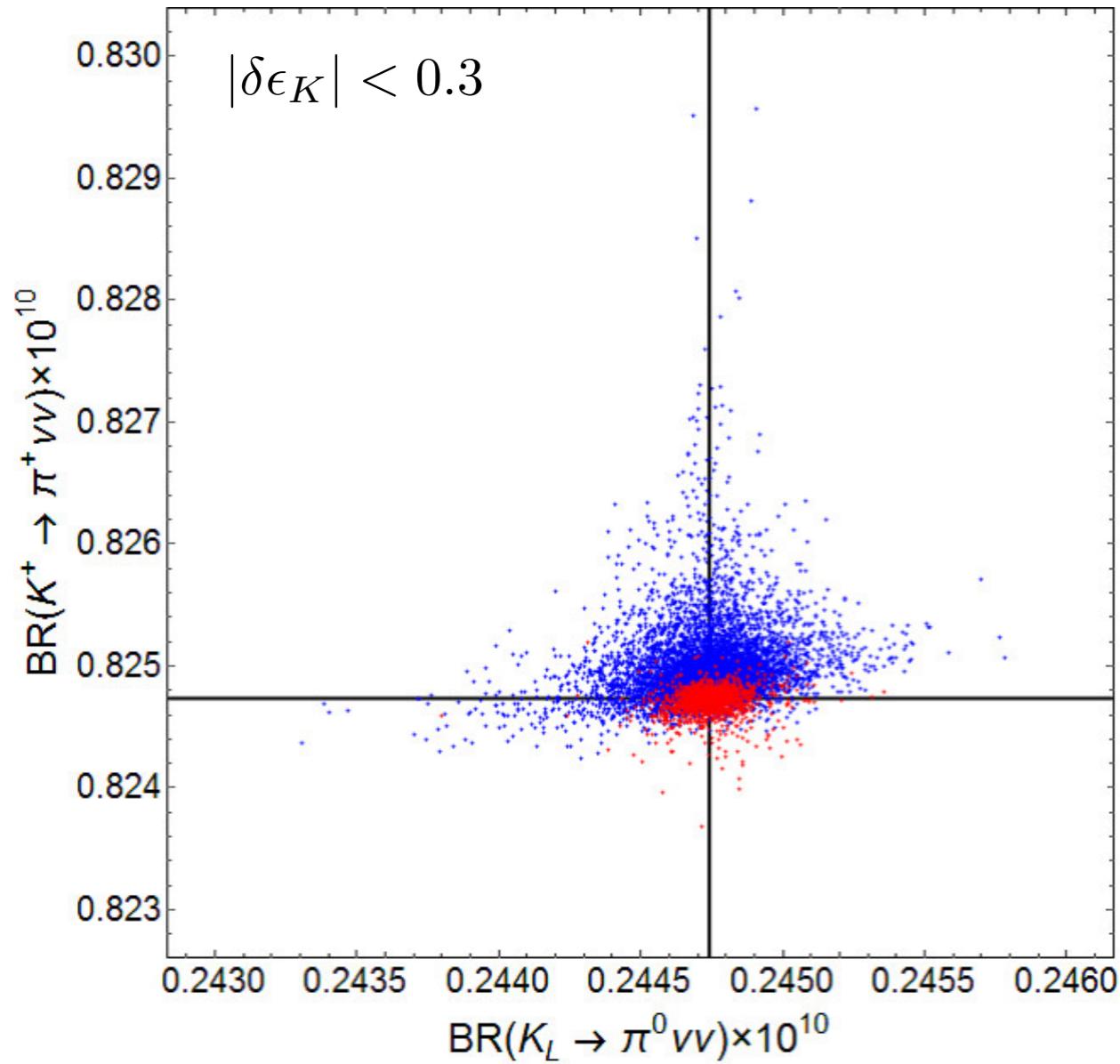
$$\text{BR}(K^+ \rightarrow \pi^+ \nu \bar{\nu}) = 1.73^{+1.15}_{-1.05} \times 10^{-10} \quad (\text{E949, 0903.0030})$$

$$\text{BR}(K_L \rightarrow \pi^0 \nu \bar{\nu}) < 2.6 \times 10^{-8} \quad (\text{E391a, 0911.4789})$$

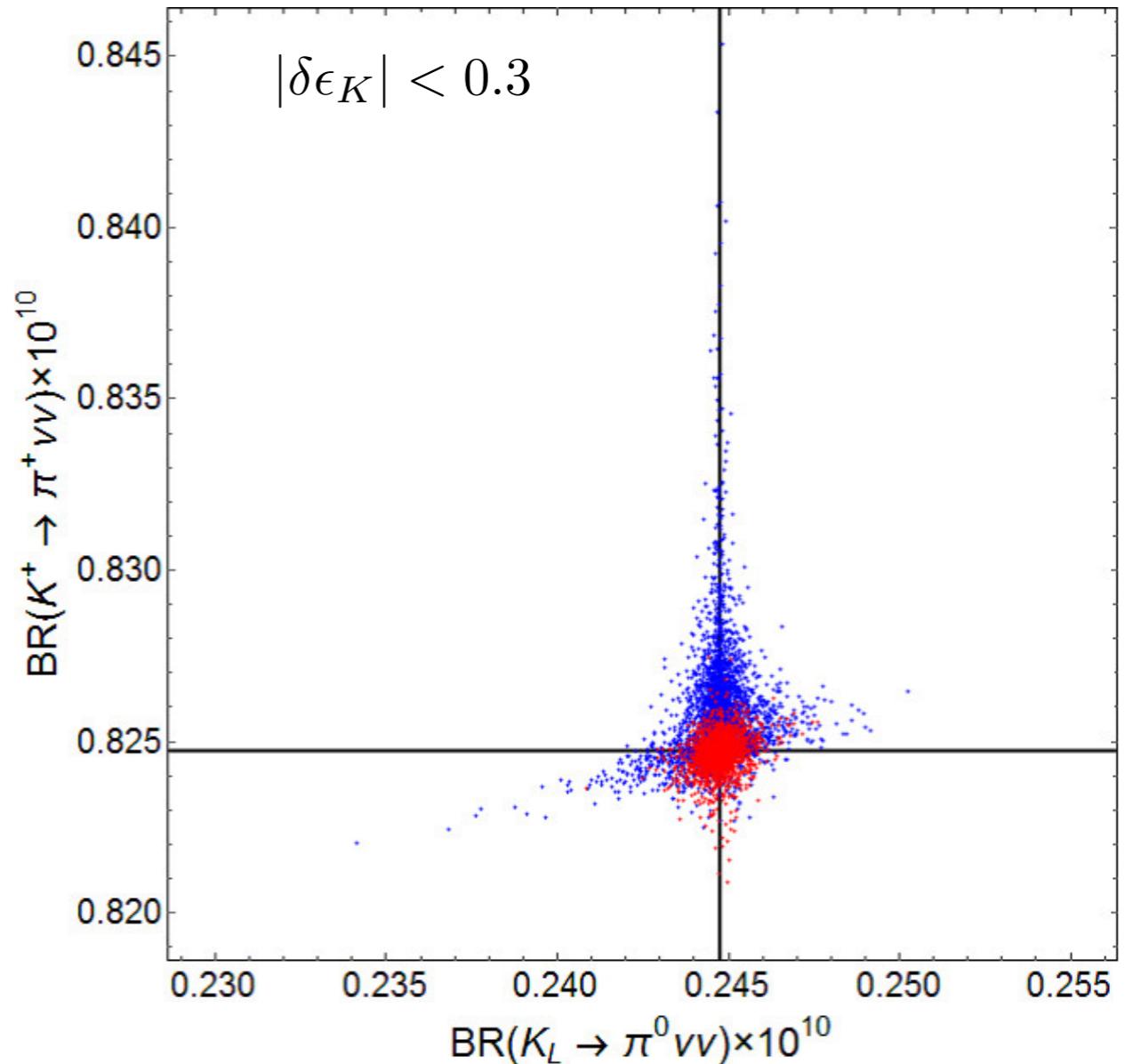
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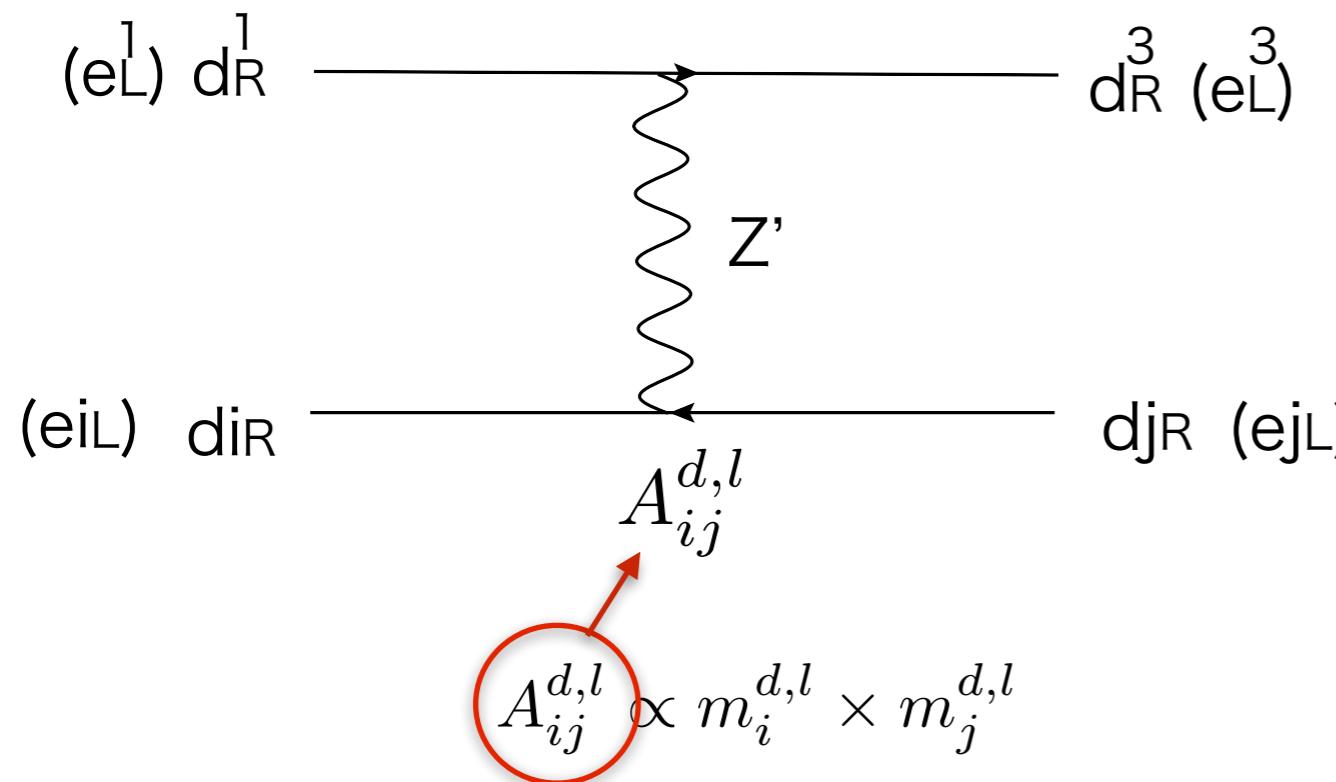
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deviations of $K_L \rightarrow \mu\mu, \mu e, K \rightarrow \pi^0 \nu \bar{\nu}$ are at most $O(1)\%$.

Relevant processes

(See Shigekami's poster)



$\Delta F=2$ processes

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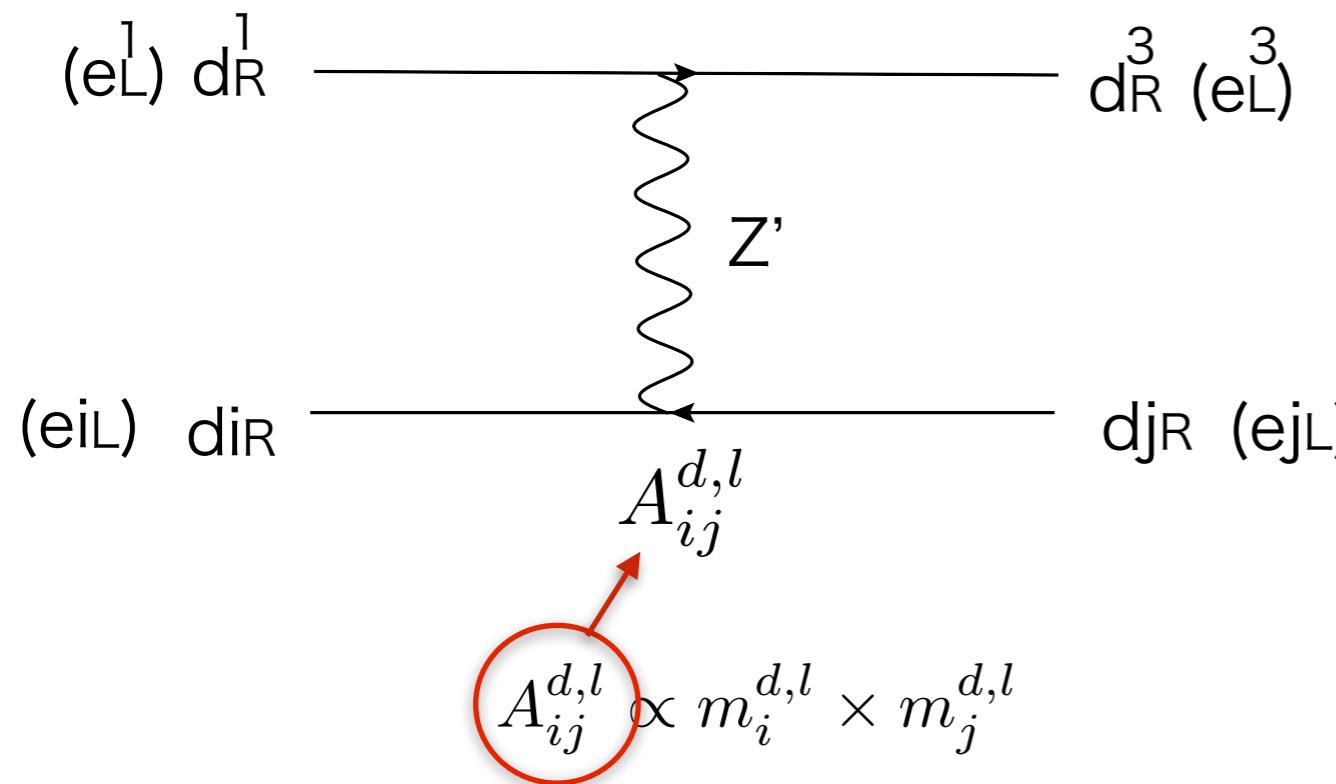
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How about other processes?

very small because of the
constraint from ϵ_K .

Relevant processes

(See Shigekami's poster)



$\Delta F=2$ processes

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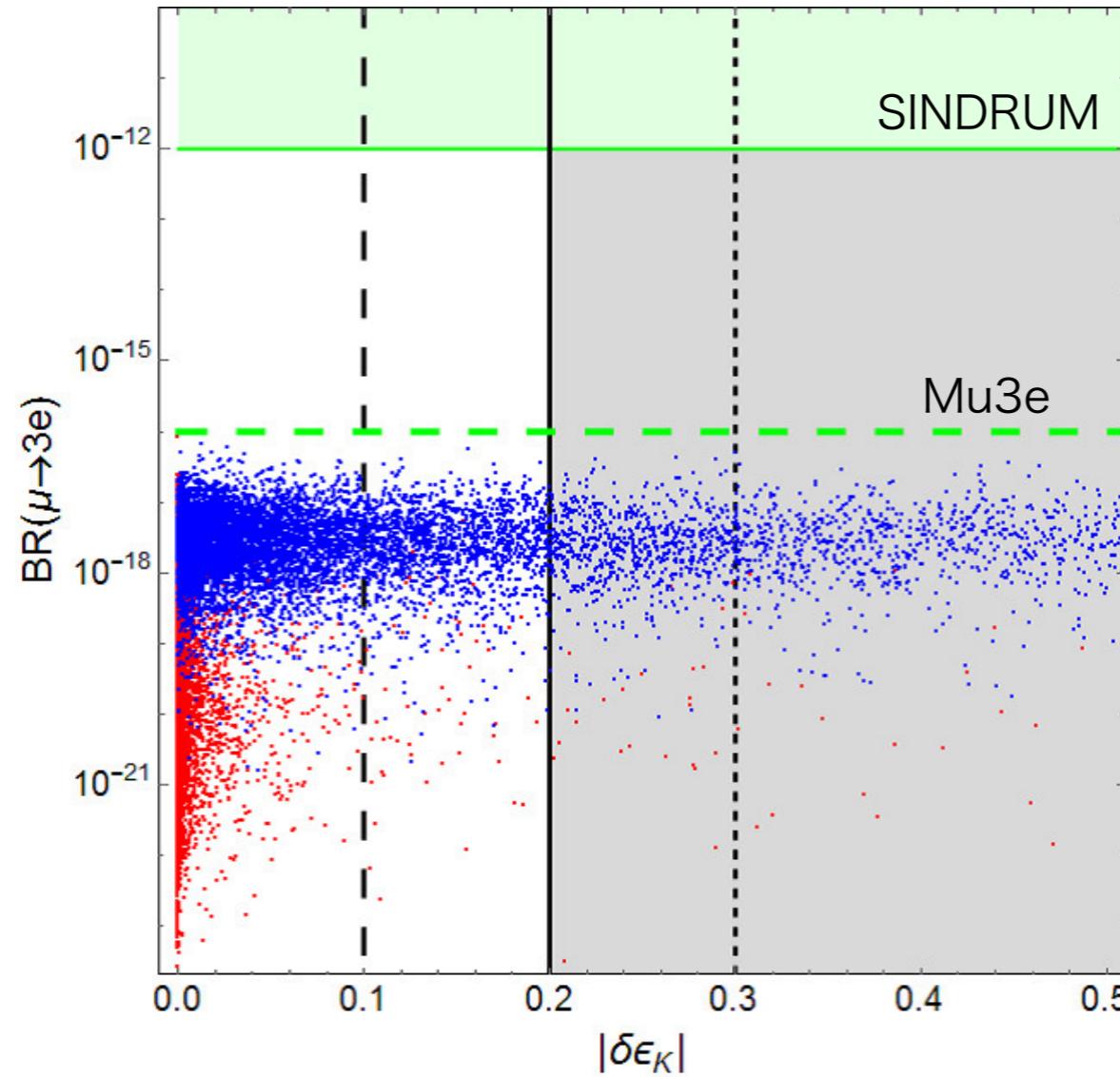
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Lepton Flavor violation

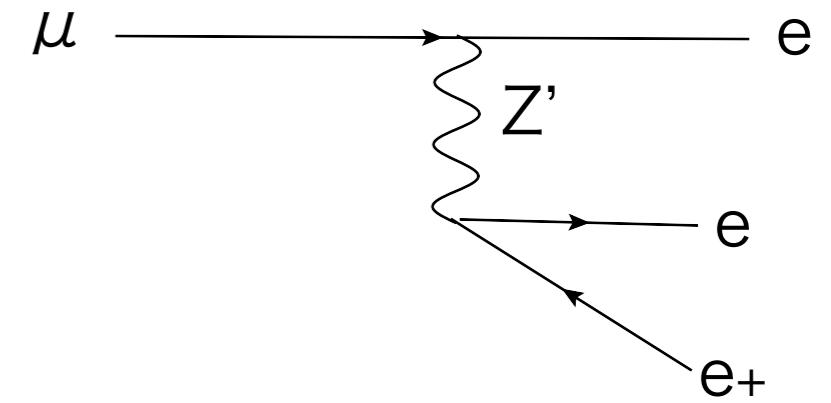
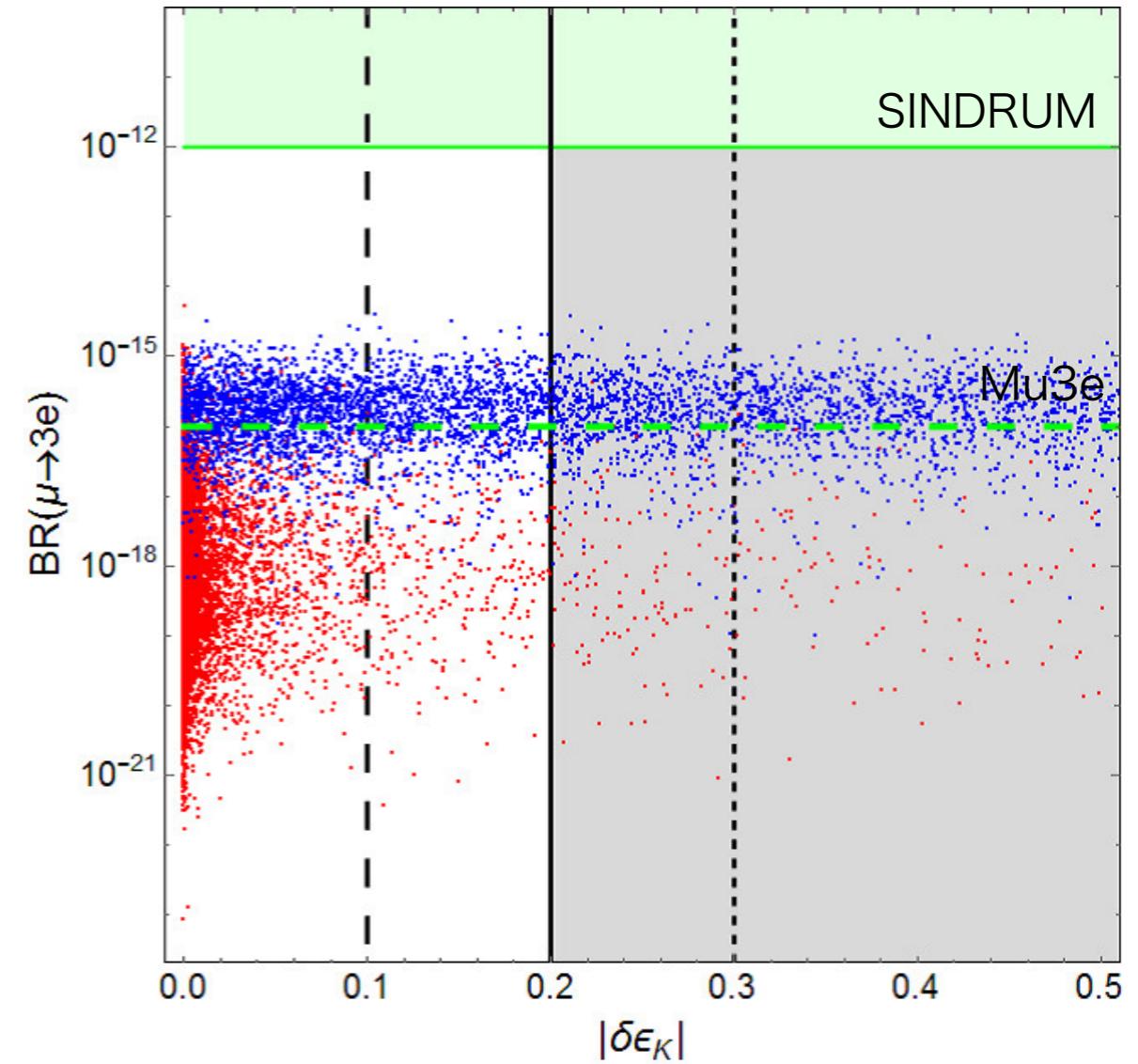
$\mu \rightarrow 3e$, μ -e conversion are
the most important.

$\mu \rightarrow 3e$

$M_{Z'} \approx 100\text{TeV}$

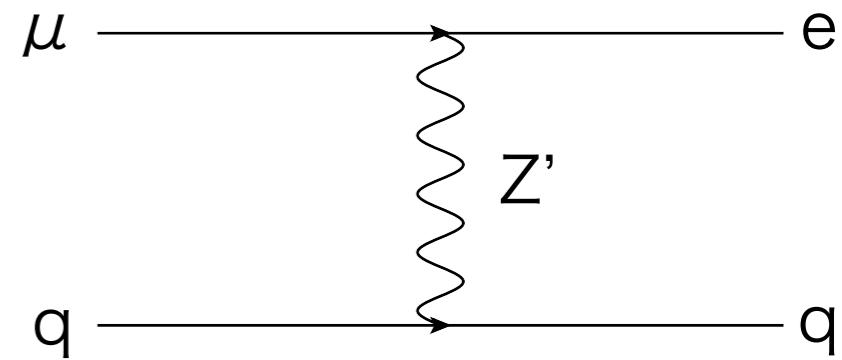


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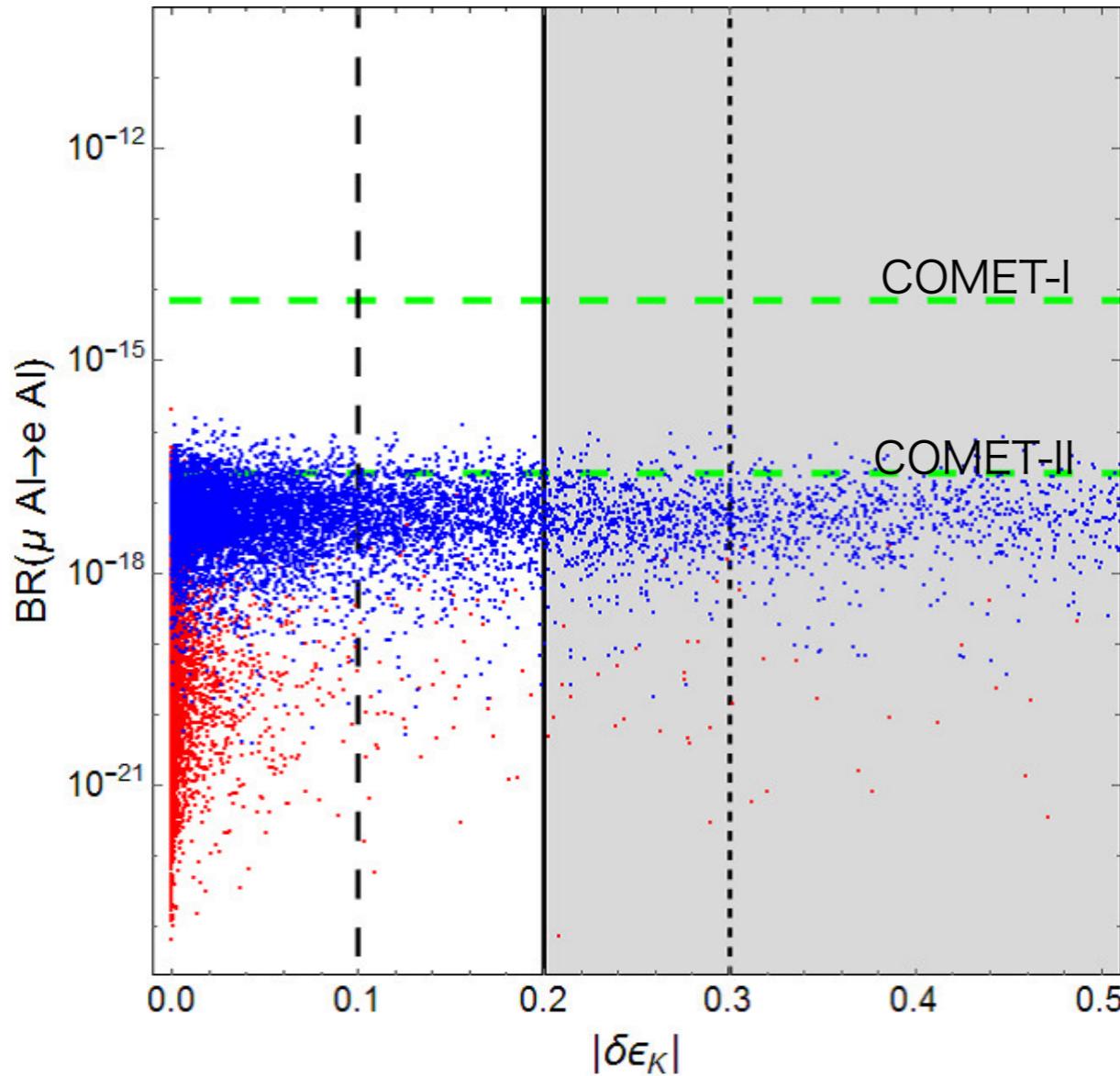


Future experiment (Mu3e) could reach our region!

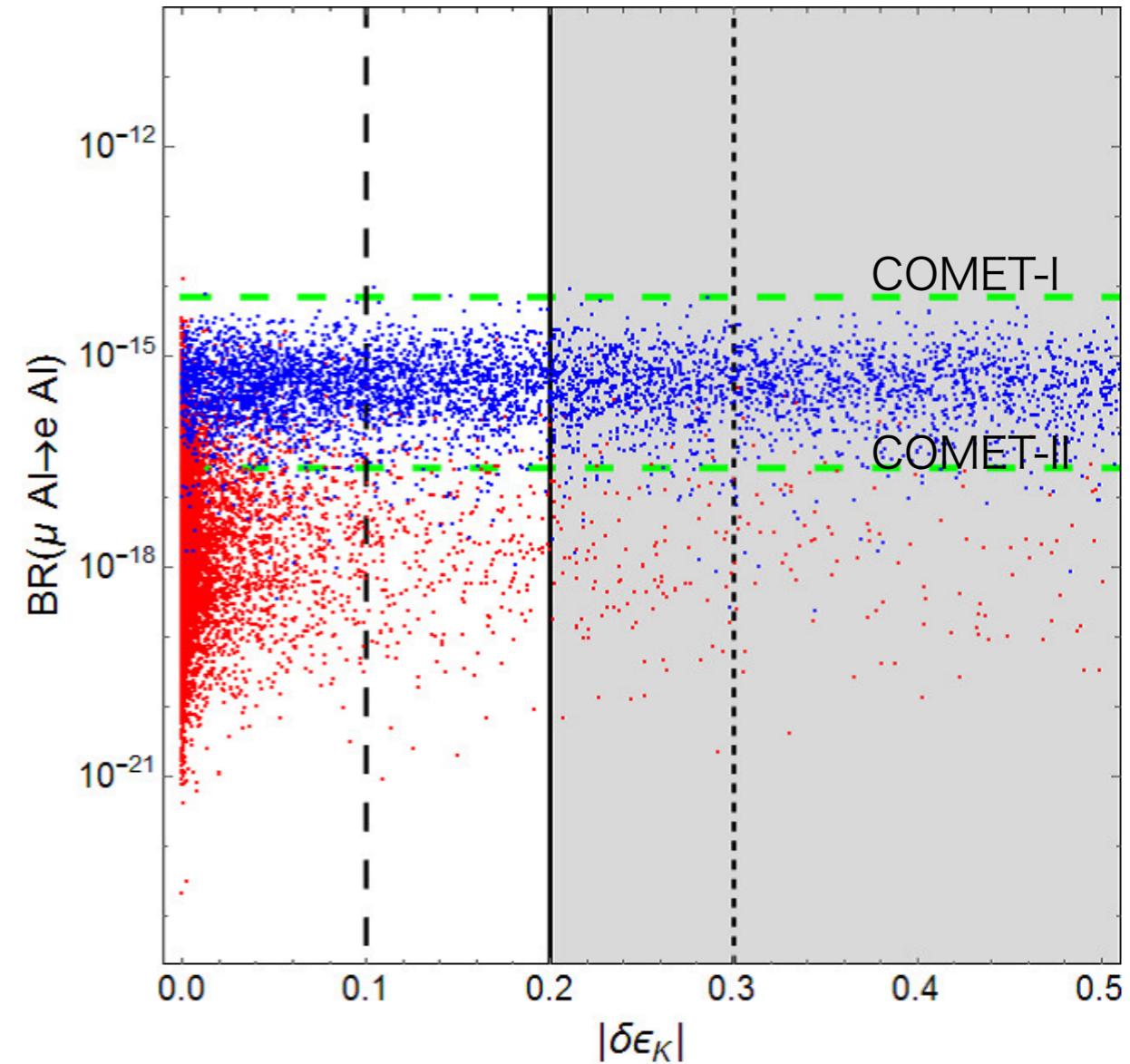
$\mu N \rightarrow e N$



$M_{Z'} \approx 100\text{TeV}$



$M_{Z'} \approx 36\text{TeV}$



COMET experiment could reach our region!

Summary and Discussion

The BSMs I'm working on

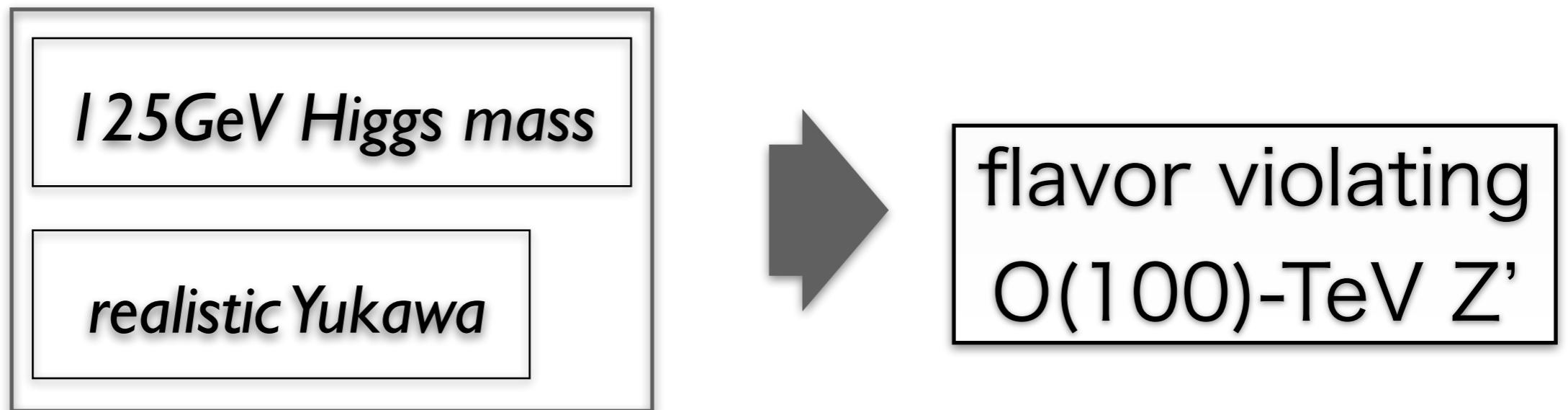
- SUSY GUT (SO(10))
(J. Hisano, Y. Muramatsu, YO, Y. Shigekami, M. Yamanaka)
- dark matter models
(T. Abe, J. Kawamura, S. Okawa, YO)
- 2HDM **K. Tobe's talk**
(YO, E. Senaha, K. Tobe)

The BSMs I'm working on

I introduced this work

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(J. Hisano, Y. Muramatsu, YO, Y. Shigekami, M. Yamanaka)
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- 2HDM *K. Tobe's talk*
(YO, E. Senaha, K. Tobe)

- In SUSY SO(10) GUT,



- This setup can be tested via K and μ physics.
 $\varepsilon K, \mu \rightarrow 3e$ and μ -e conversion are relevant.
(*Mu3e and COMET experiments may discover.*)
deviations of $K_L \rightarrow \mu\mu, \mu e, K \rightarrow \pi\nu\nu$ are at most $O(1)\%$.
- If Z' has lower mass, B and τ become important.
deviations of ΔM_{Bs} can reach 10% if $Z' \sim 30$ GeV, but ΔM_{Bd} less than 10%.
deviation of $B(s) \rightarrow \mu\mu$ is a few percent.

- SUSY GUT (SO(10))

My talk

(J. Hisano, Y. Muramatsu, YO, Y. Shigekami, M. Yamanaka)

*The setup predicts flavor violating processes.
K and μ physics are the most important.*

- dark matter models

(T. Abe, J. Kawamura, S. Okawa, YO)

- 2HDM

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*Bottom-up approach:
Many free parameters.
Based on the experimental results,
we are studying how to prove the models.*

- SUSY GUT (SO(10))

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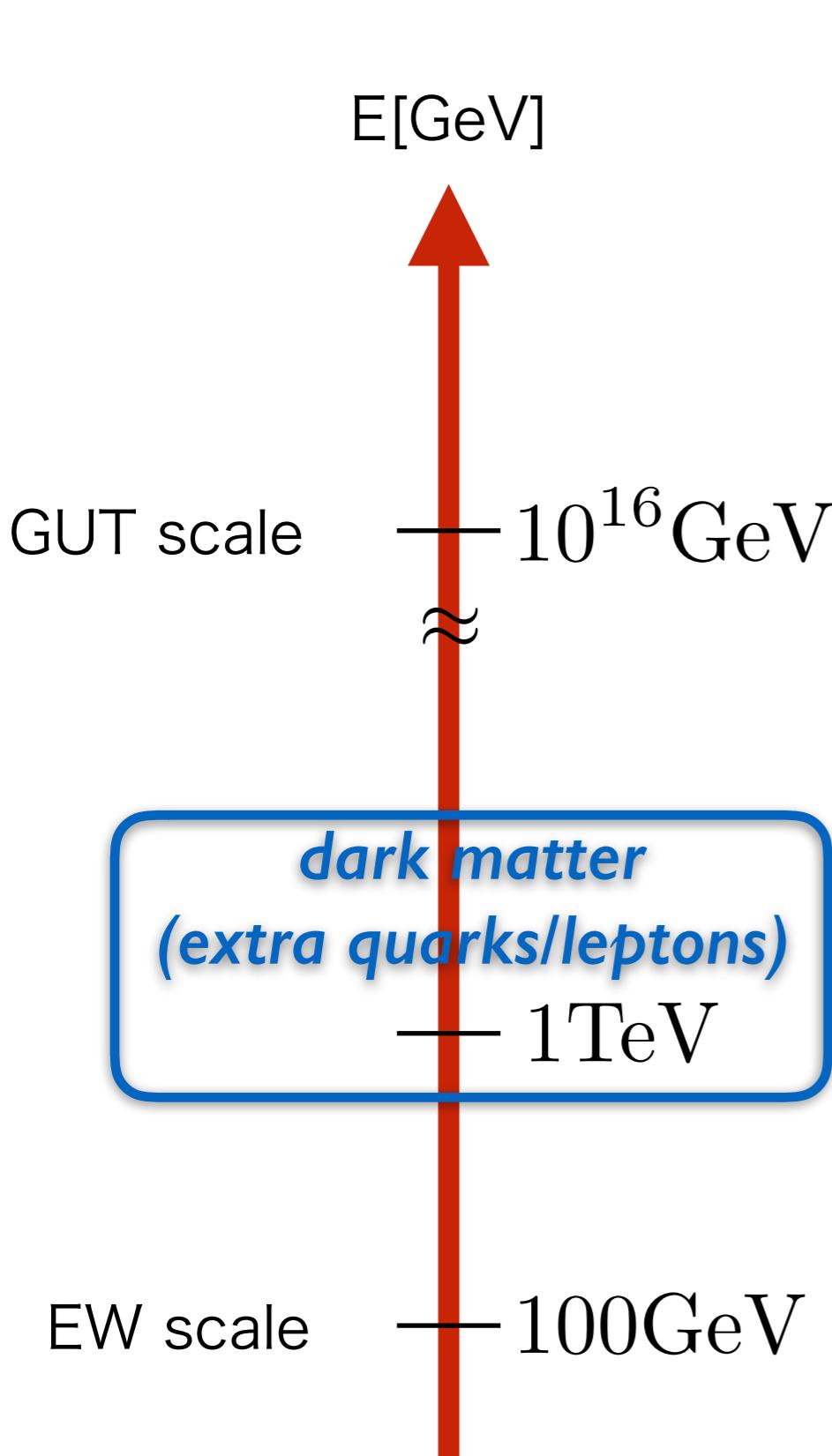
(YO, E. Senaha, K. Tobe)

Bottom-up approach:

Many free parameters.

*Based on the experimental results,
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DM models in bottom-up approach



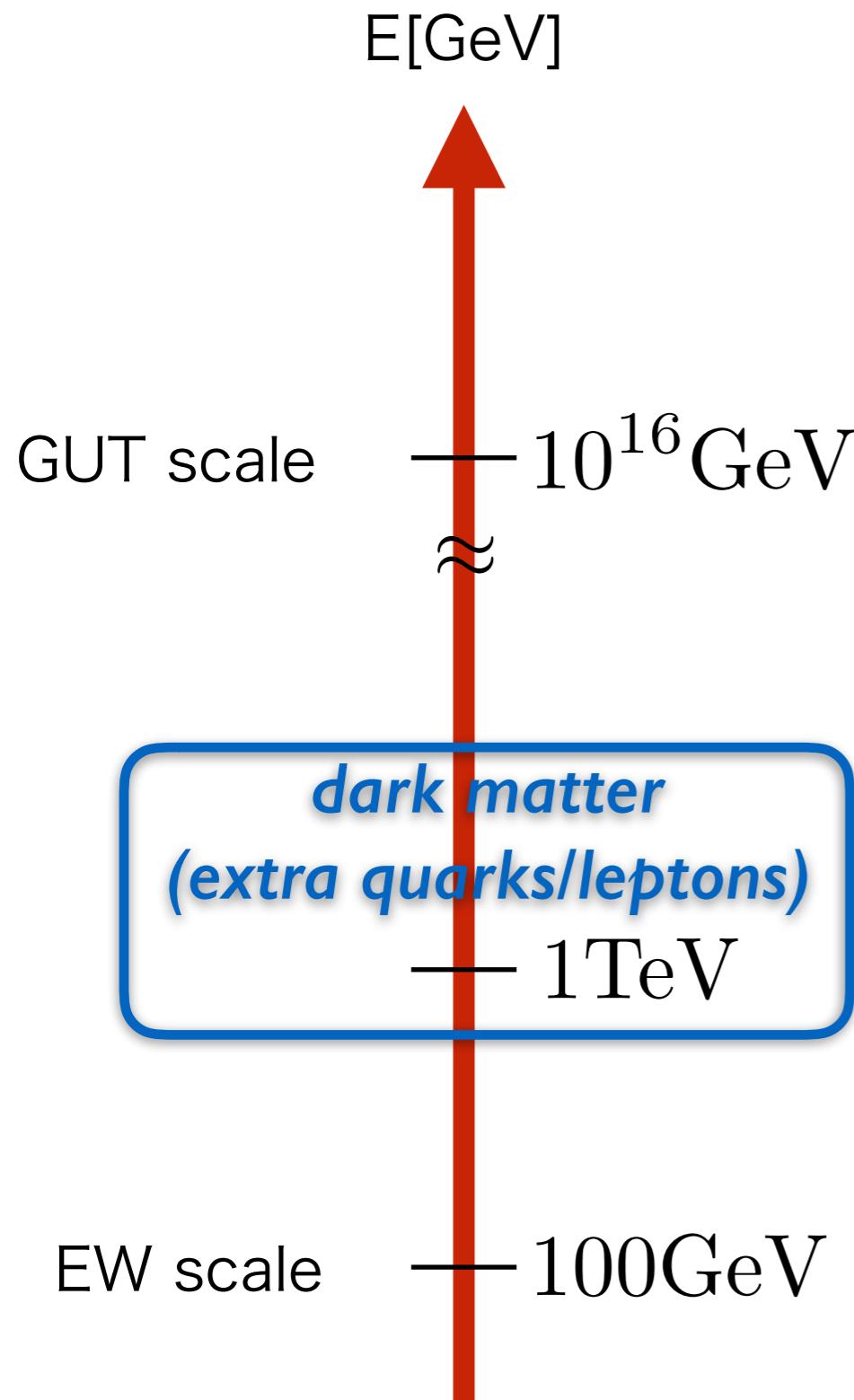
We build some simple BSMs with WIMP DMs,
and find some correlations among
direct search at the LHC, DM and flavor physics.

(T. Abe, J. Kawamura, S. Okawa, YO)

DM models in bottom-up approach

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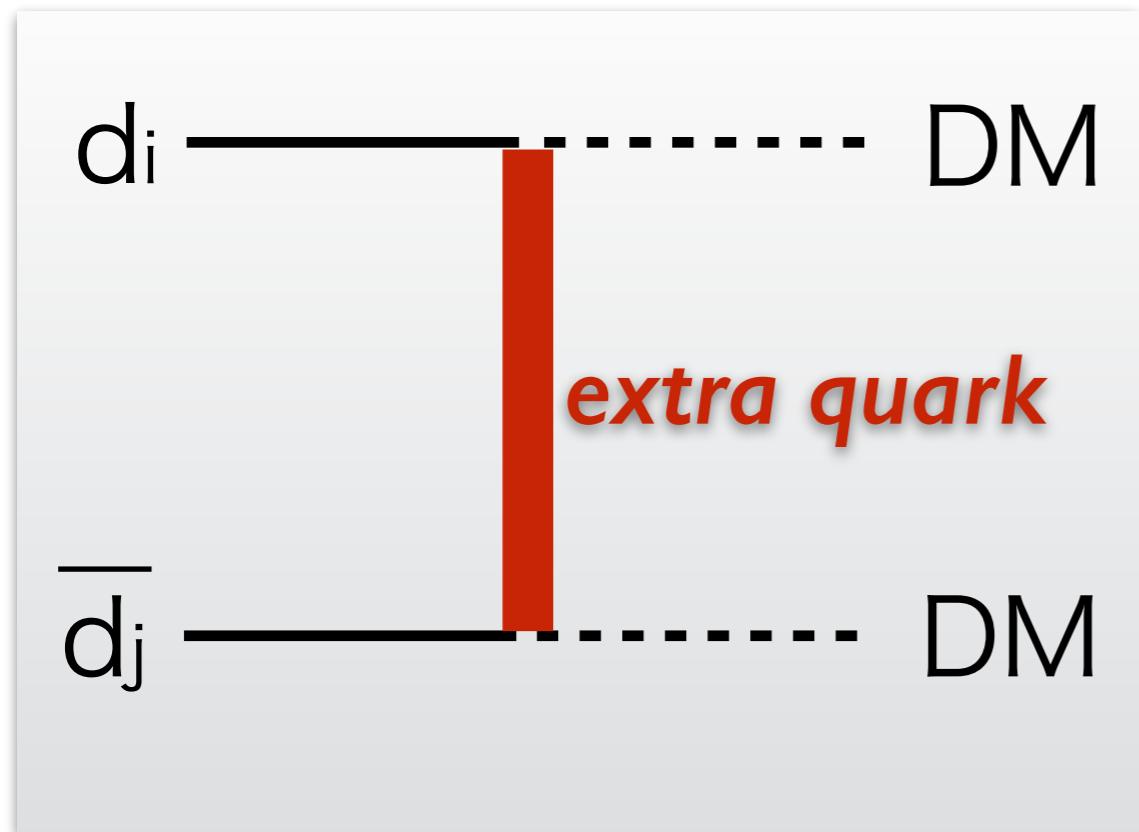


Interaction between quarks and DM



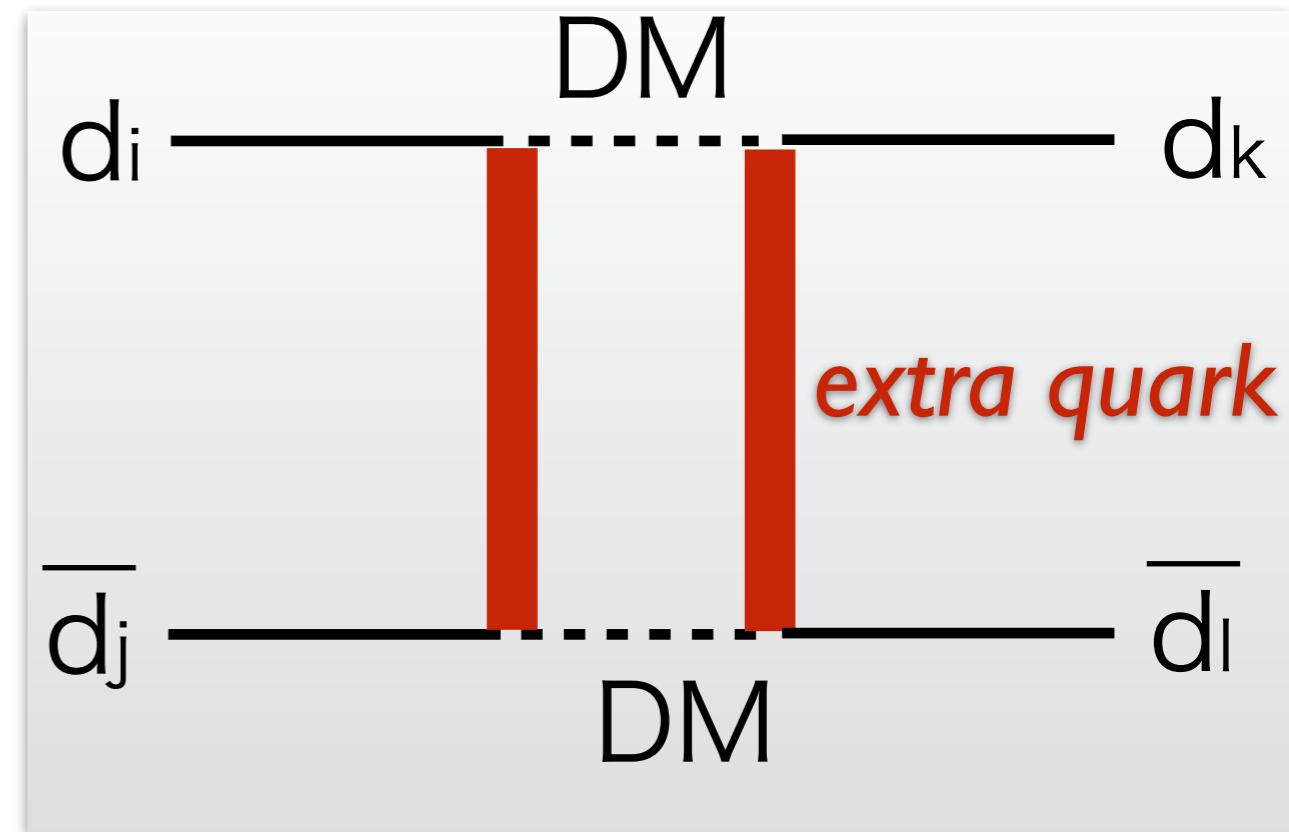
DM models in bottom-up approach

The same diagram contributes to DM and Flavor physics.



contribute to

annihilation and
direct section of DMs.

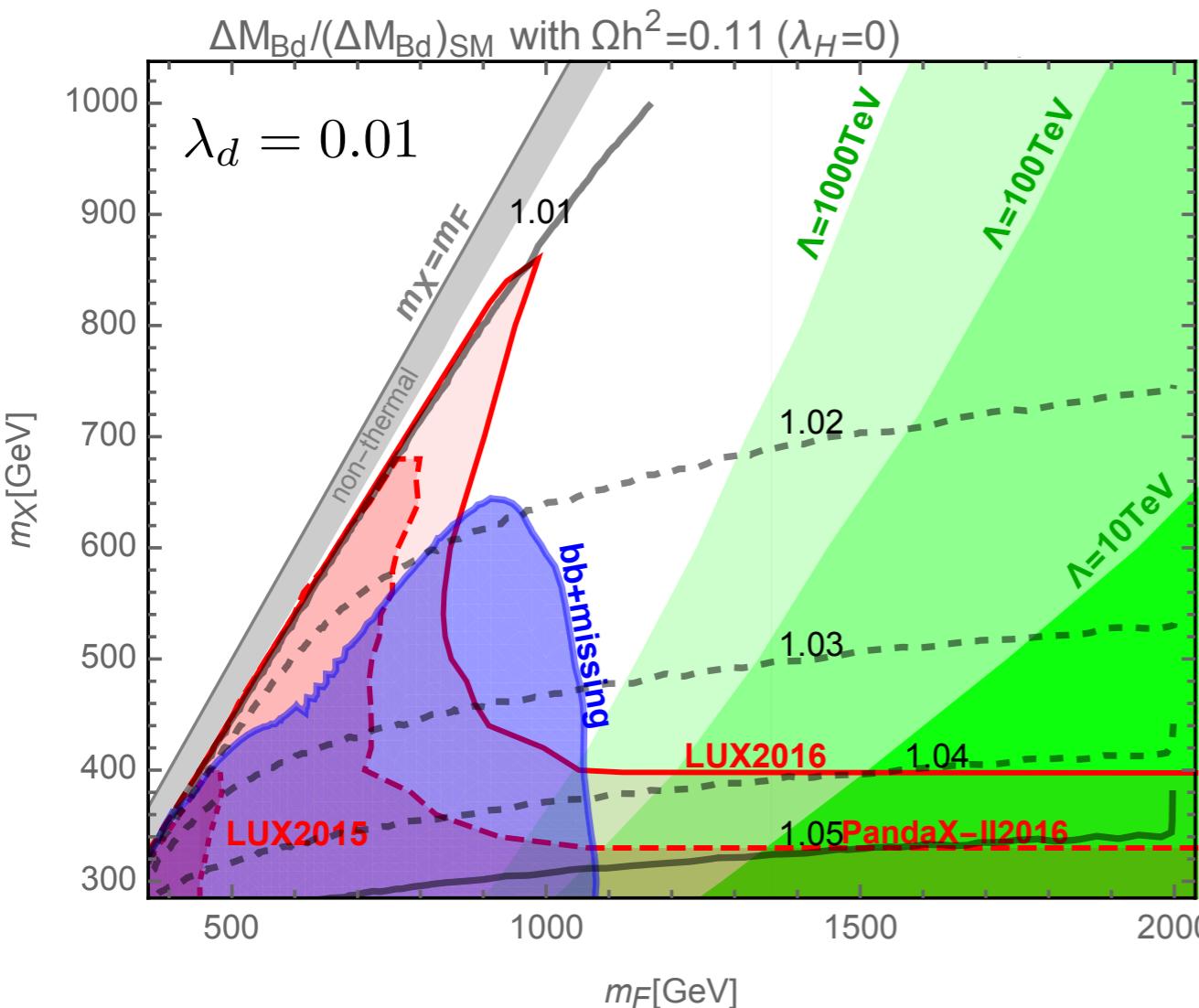


contribute to

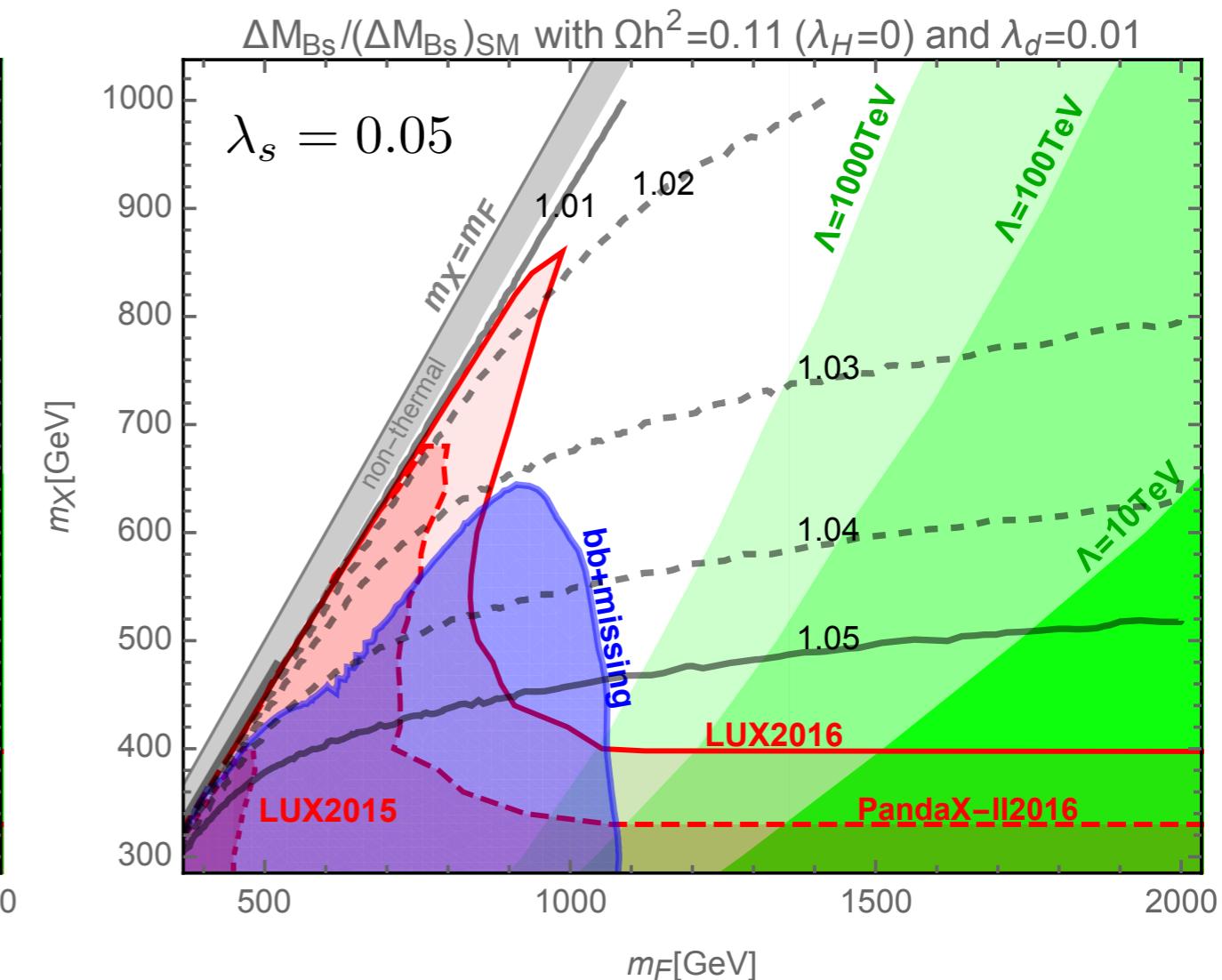
$\Delta F=2$ processes:
 $K-\bar{K}$ and $B(s)-\bar{B}(s)$ mixing.

Correlations among the LHC, DM, flavor physics

$B_d - \overline{B_d}$ mixing



$B_s - \overline{B_s}$ mixing



$O(1)$ - $O(10)\%$ Deviations of the $\Delta F=2$ processes are predicted!

- SUSY GUT (SO(10))

My talk

(J. Hisano, Y. Muramatsu, YO, Y. Shigekami, M. Yamanaka)

*The setup predicts flavor violating processes.
K and μ physics are the most important.*

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(T. Abe, J. Kawamura, S. Okawa, YO)

There are correlations among LHC, DM, and flavor physics.

- 2HDM

K. Tobe's talk

(YO, E. Senaha, K. Tobe)

Bottom-up approach:

Many free parameters.

*Based on the experimental results,
we are studying how to prove the models.*

Thank you

Backup

Detail

In extended $SO(10)$ symmetric superpotential,

$$h^{ij} \mathbf{16}_i \mathbf{16}_j \mathbf{10}_H + g^{ij} \mathbf{10}_i \mathbf{16}_j \mathbf{16}_H + \mu_{10}^{ij} \mathbf{10}_i \mathbf{10}_j$$

In effective superpotential ($SM \times U(1) \times$ symmetric superpotential),

quark sector

break extra $U(1)_X$ from $\mathbf{16}_H$

$$h^{ij} Q_L{}_i U_R^c{}_j H_u + h^{ij} Q_L{}_i \hat{D}_R^c{}_j H_d \quad + g^{ij} \overline{D'_R}{}^c_i \hat{D}_R^c{}_j \langle \mathbf{1}_H \rangle + \mu_{10}^{ij} \overline{D'_R}{}^c_i D'_R{}_j$$

MSSM down-type

$$\hat{D}_R^c{}_i = (\hat{U}_D)_{ij} \boxed{D_R^c{}_j} + (\hat{U}'_D)_{ij} D''_R{}_j$$

$$\boxed{h^{ij}} Q_L{}_i U_R^c{}_j H_u + \boxed{(h\hat{U}_D)_{ij}} Q_L{}_i \boxed{D_R^c{}_j} H_d \quad + \mu^{ij} \overline{D'_R}{}^c_i D''_R{}_j$$

Hierarchy is given by the mixing

Detail

In extended $SO(10)$ symmetric superpotential,

$$h^{ij} \mathbf{16}_i \mathbf{16}_j \mathbf{10}_H + g^{ij} \mathbf{10}_i \mathbf{16}_j \mathbf{16}_H + \mu_{10}^{ij} \mathbf{10}_i \mathbf{10}_j$$

In effective superpotential ($SM \times U(1) \times$ symmetric superpotential),

lepton sector

break extra $U(1)_X$ from $\mathbf{16}_H$

$$h^{ij} \hat{L}_i N_R^c{}_j H_u + h^{ij} \hat{L}_i E_R^c{}_j H_d + g^{ij} \overline{L}'_i \hat{L}_j \langle \mathbf{1}_H \rangle + \mu_{10}^{ij} \overline{L}'_i L'_j$$



MSSM lepton

$$\hat{L}_i = (\hat{U}_D)_{ij} L_j + (\hat{U}'_D)_{ij} L''_j$$

$$h^{ij} L_i N_R^c{}_j H_u + (\hat{U}_D^T h)_{ij} L_i E_R^c{}_j H_d + \mu_{10}^{ij} \overline{L}'_i L''_j$$

Hierarchy is given by the mixing