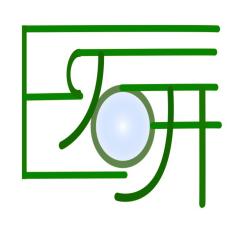


Bayesian fit analysis to full distribution data of $B \rightarrow D^{(*)} \ell \nu$: |Vcb|determination and new physics constraints



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Contents

We performed the Bayesian fit to determine the $B \rightarrow D^{(*)}$ hadronic transition form factors. using the full distribution data from Belle and theoretical constraints. The fitted Vcb is consistent with the HFLAG average and the Vcb puzzle can not be resolved. Based on the fitted form factors, we discuss the $B \rightarrow D^{(*)}\tau\nu$ process where the 4σ level discrepancy between the SM prediction and the experimental average is known.

Implications to the collider physic of the NP interpretation of $R(D^{(*)})$ anomaly is discussed.

Motivation

We want to determine Vcb accurately

Q. What is Vcb?

A. One of a CKM matrix element

 $\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$

 $\Delta \chi^2 = 1.0$ contours

inc

Q. Why we need to improve it?

A. There is deviation between inclusive and exclusive Vcb

inclusive Vcb: determined from B->Xc lv mode

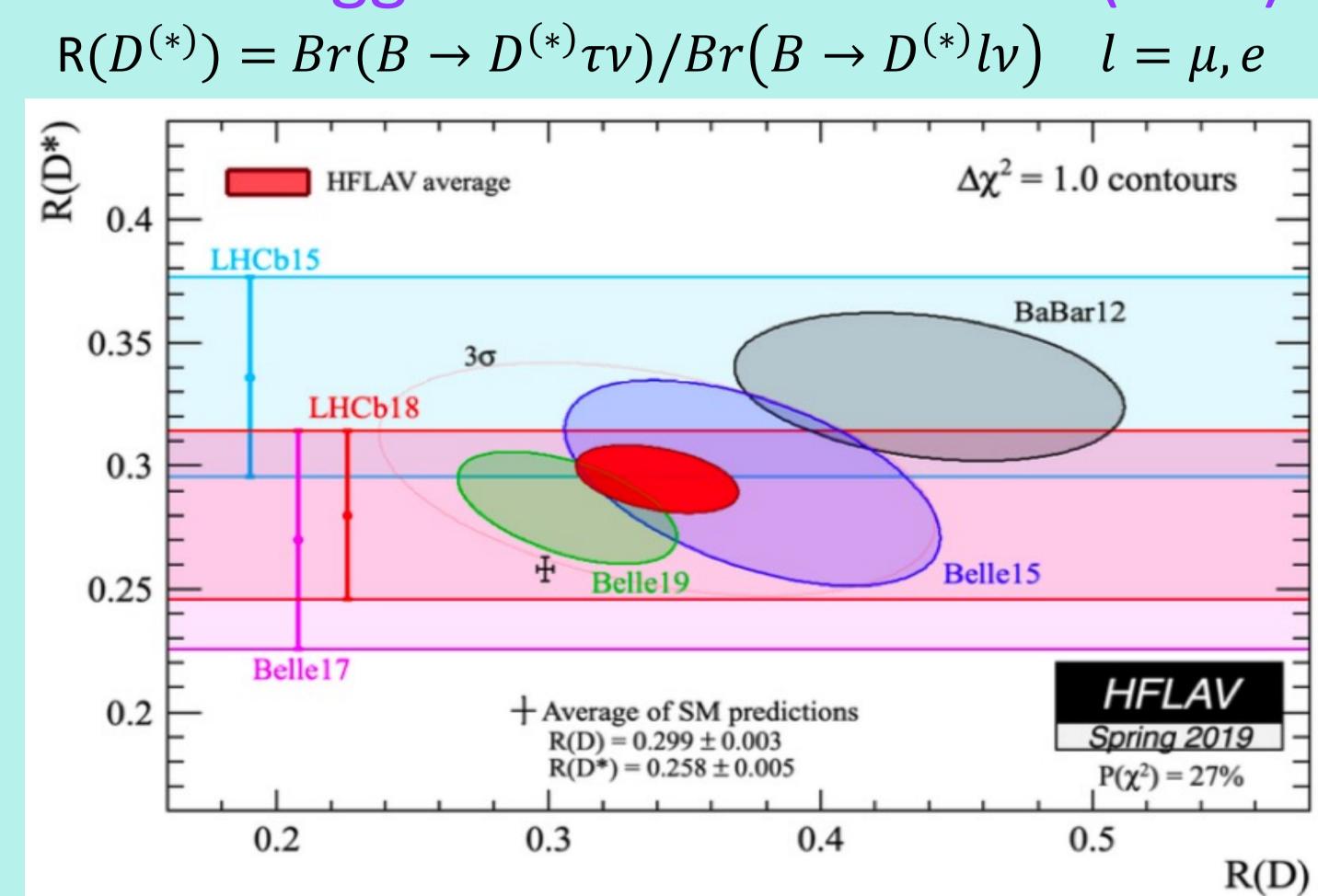
Xc: all hadronic state containing a charmed hadron. 2-3σ deviation

exclusive Vcb: determined from B->D^(*) I v mode

Q. How to improve Vcb

A. We will fit Vcb with more accurate Form Factors (FFs) for B->D(*)

Suggestive anomalies in $R(D^{(*)})$



Vcb determination

Form Factors in B->D,D* transition Conventional parametrization CNL parametrization (Caprini, Lellouch, Neubert 1997) Too much simplified BGL parametrization (Boyd, Grinstein, Lebed 1997) Too general to use for the NP analysis Our approach General Heavy Quark Effective Theory(HQET) (Jung, Straub 2018) QCD information $\langle D|\bar{c}\gamma^{\mu}b|B\rangle_{\text{HQET}} = \sqrt{m_Bm_D}\left[h_+(v+v')^{\mu} + h_-(v-v')^{\mu}\right],$ $\langle D^*|\bar{c}\gamma^{\mu}\gamma^5b|B\rangle_{\text{HQET}} = \sqrt{m_Bm_{D^*}}\left[h_{A_1}(w+1)\epsilon^{*\mu} - (\epsilon^*\cdot v)\left(h_{A_2}v^{\mu} + h_{A_3}v'^{\mu}\right)\right],$ $v^{\mu} = p_B^{\mu}/m_B, \ v'^{\mu} = p_{D^{(*)}}^{\mu}/m_{D^{(*)}}, \ w = v \cdot v' = (m_B^2 + m_{D^{(*)}}^2 - q^2)/(2m_Bm_{D^{(*)}}),$ Main difference: h₊, h₋, h_{A1}... are described by common parameters

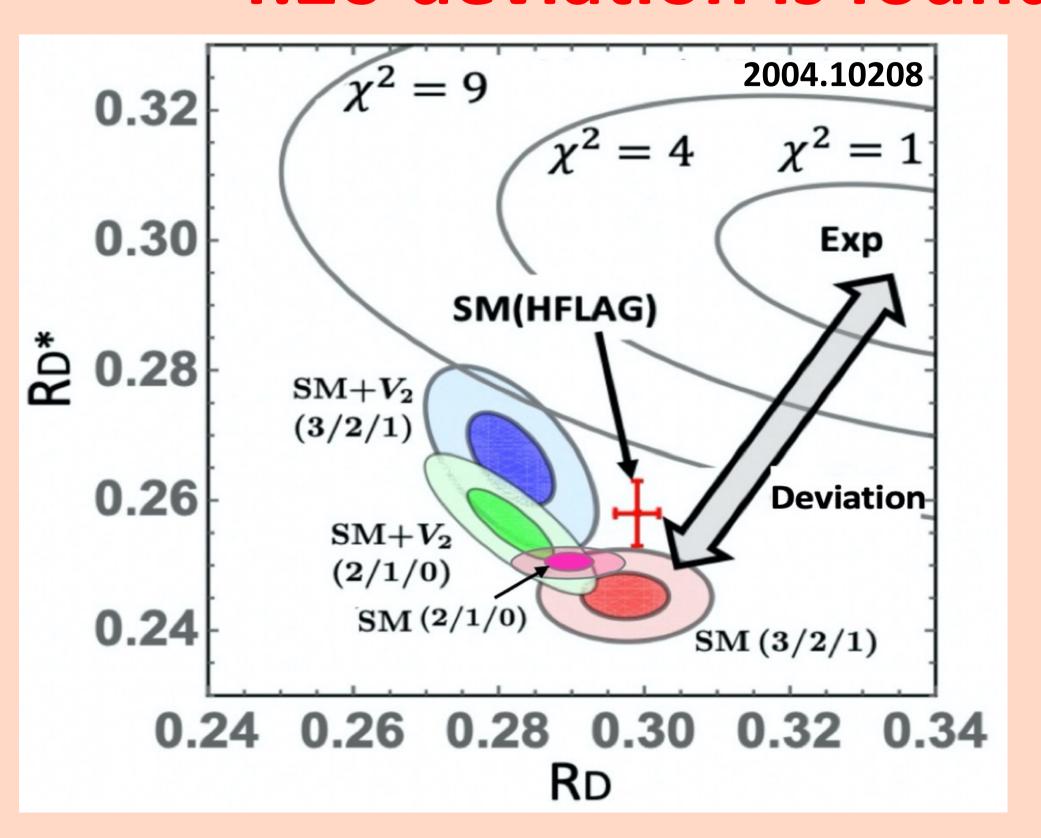
B→D(*)tv observables

We want to determine h_x precisely.

 $\hat{h}_X = \hat{h}_{X,0} + \frac{\alpha_s}{\pi} \delta \hat{h}_{X,\alpha_s} + \frac{\bar{\Lambda}}{2m_b} \delta \hat{h}_{X,m_b} + \frac{\bar{\Lambda}}{2m_c} \delta \hat{h}_{X,m_c} + \frac{\bar{\Lambda}}{2m_$

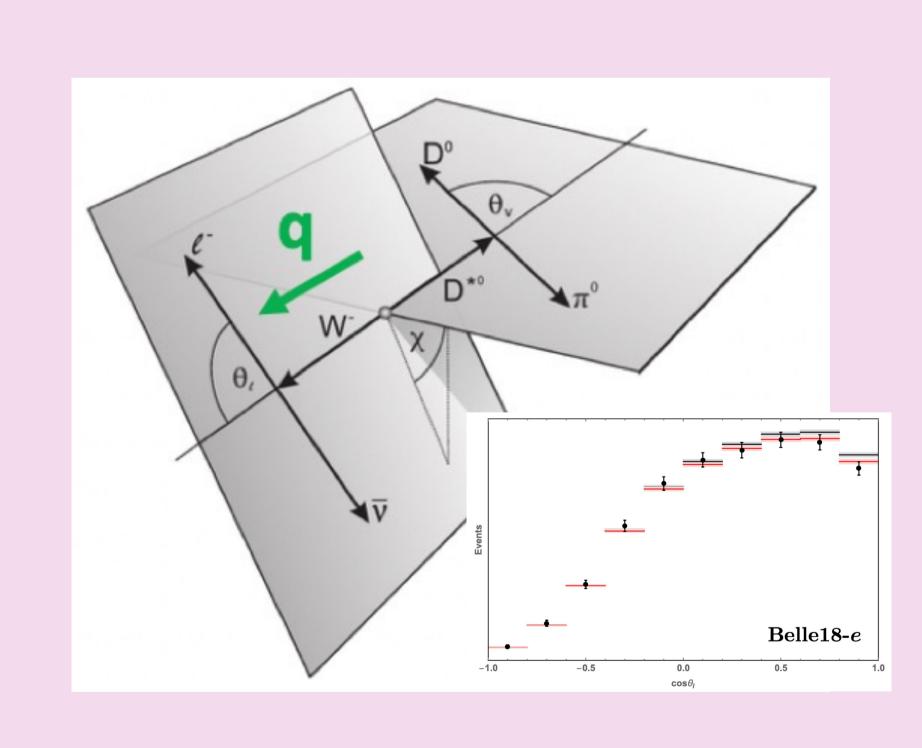
4.2σ deviation is found

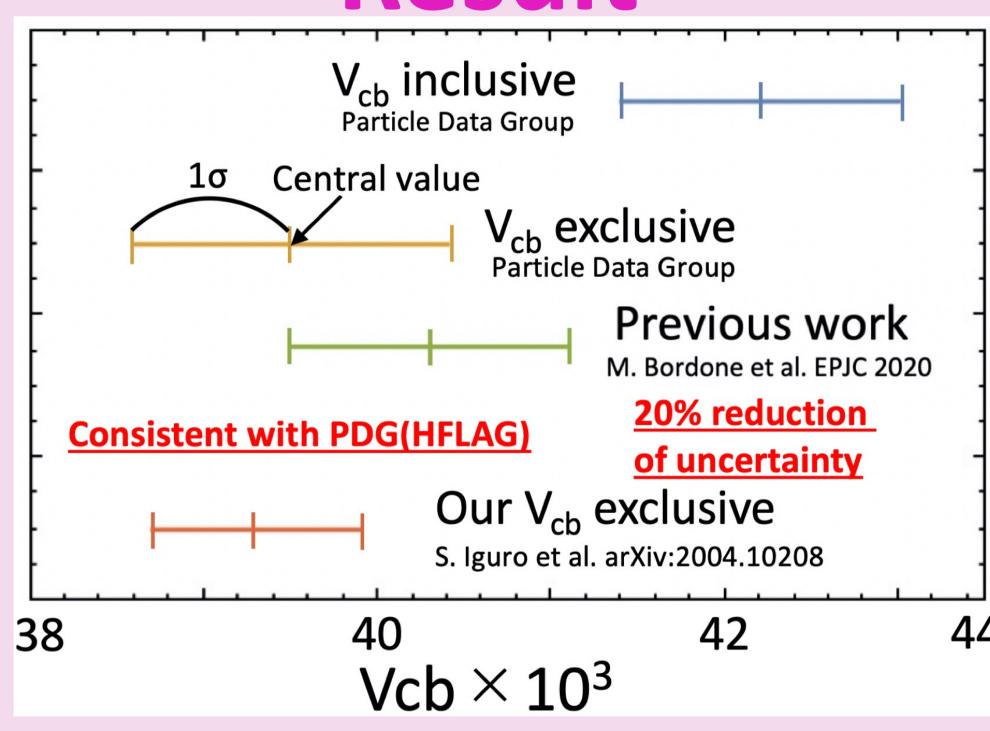
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What's new

We also included the angular distribution data and performed the Bayesian fit to fix the form factors.

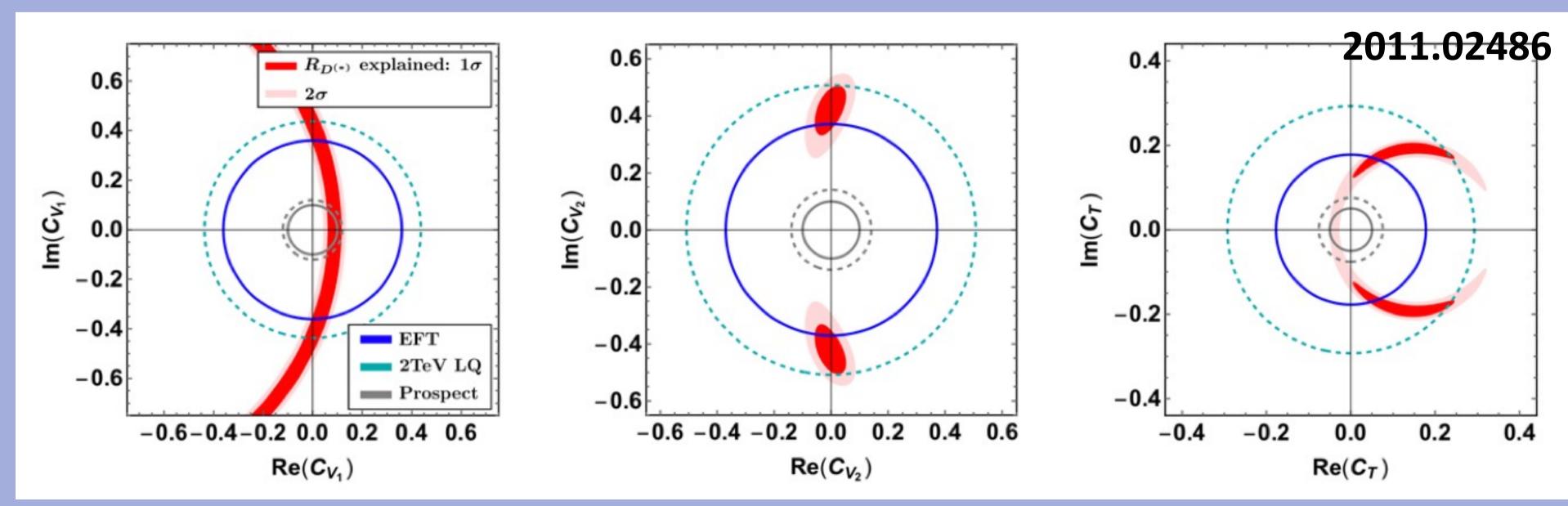




Implication for LHC

High pT mono τ signal pp-> bc -> τν process

$$\begin{split} H_{eff} &= \frac{4G_F}{\sqrt{2}} V_{cb} \left[(1 + C_{V1}) O_{V1} + C_{V2} O_{V2} + C_T O_T \right] \\ O_{V1} &= (\bar{c} \gamma^{\mu} P_L b) (\bar{l} \gamma^{\mu} P_L \nu_{\tau}), O_{V2} = (\bar{c} \gamma^{\mu} P_R b) (\bar{l} \gamma^{\mu} P_L \nu_{\tau}), \\ O_T &= (\bar{c} \sigma^{\mu \nu} P_L b) (\bar{l} \sigma_{\mu \nu} P_L \nu_{\tau}) \end{split}$$



Mediator mass dependence is significant!